

Comparison tables: BBOB 2012 noisy testbed in 5-D

The BBOBies

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Abstract

This document provides tabular results of the workshop for Black-Box Optimization Benchmarking at GECCO 2012, see <http://coco.gforge.inria.fr/doku.php?id=bbob-2012>. 4 algorithms have been tested on 24 benchmark functions in dimensions between 2 and 40. A description of the used objective functions can be found in [4, 2]. The experimental set-up is described in [3].

The performance measure provided in the following tables is the expected number of objective function evaluations to reach a given target function value (ERT, expected running time), divided by the respective value for the best algorithm in BBOB-2009 (see [1]) if an algorithm from BBOB-2009 reached the given target function value. The ERT value is given otherwise (ERT_{best} is noted as infinite). See [3] for details on how ERT is obtained. Bold entries in the table correspond to values below 3 or the top-three best values. Table 1 gives an overview on all algorithms submitted to the noise-free testbed in 2012.

Table 1: Names and references of all algorithms submitted for the noise-free testbed

algorithm name	short	paper	reference
IPOPsaACM		Black-box Optimization Benchmarking of IPOP-saACM-ES on the BBOB-2012 Noisy Testbed (Page 261)	[8]
SNES		Benchmarking Separable Natural Evolution Strategies on the Noiseless and Noisy Black-Box Optimization Testbeds (Page 205)	[7]
xNES		Benchmarking Exponential Natural Evolution Strategies on the Noiseless and Noisy Black-Box Optimization Testbeds (Page 213)	[5]
xNESas		Benchmarking Natural Evolution Strategies with Adaptation Sampling on the Noiseless and Noisy Black-Box Optimization Testbeds (Page 229)	[6]
SNES, xNES, xNESas		Comparing Natural Evolution Strategies to BIPOP-CMA-ES on Noiseless and Noisy Black-Box Optimization Testbeds (Page 237)	[9]

Table 2: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{101} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f101	11	37	44	62	69	75	15/15
IPOPsaACM	1.9 (1)	2.1 (0.5)	2.2 (0.5) ^{*3}	2.2 (0.5) ^{*4}	2.5 (0.3) ^{*4}	2.8 (0.3) ^{*4}	15/15
SNES	3.8(2)	2.5(0.9)	4.3(0.8)	6.1(0.7)	8.8(1.0)	11(1)	15/15
xNES	3.4(1)	2.4(1)	5.4(0.9)	10(1)	14(1)	18(0.6)	15/15
xNESas	2.8(2)	2.4(1)	5.2(2)	7.9(2)	10(2)	13(3)	15/15

Table 3: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{102} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f102	11	35	50	72	86	99	15/15
IPOPsaACM	2.6 (2)	2.1 (0.7)	2.0 (0.5) ^{*3}	1.9 (0.4) ^{*4}	2.1 (0.3) ^{*4}	2.2 (0.3) ^{*4}	15/15
SNES	3.5(2)	2.3(1)	3.7(1)	5.4(0.7)	7.3(0.7)	8.6(0.4)	15/15
xNES	3.1(4)	2.8(1)	4.9(1)	8.8(1)	12(1)	14(1)	15/15
xNESas	3.3(3)	2.7(2)	4.7(1)	7.3(1)	9.2(1)	10(2)	15/15

Table 4: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{103} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f103	11	28	30	31	35	115	15/15
IPOPsaACM	3.0(1)	2.8(0.7)	3.4(0.9) ^{*2}	4.6(1) ^{*4}	7.1(3) ^{*4}	3.2(1) ^{*4}	15/15
SNES	2.7(2)	2.7(1)	5.5(1)	13(2)	26(15)	21(11)	15/15
xNES	3.7(2)	3.6(1)	8.2(2)	20(3)	31(3)	13(1)	15/15
xNESas	2.7(2)	2.9(2)	7.2(2)	16(3)	24(5)	11(2)	15/15

Table 5: 05-D, running time excess $\text{ERT}/\text{ERT}_{\text{best 2009}}$ on f_{104} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f104	173	773	1287	1768	2040	2284	15/15
IPOPsaACM	0.88 _(0.3)	1.5 ₍₁₎	1.1 ₍₁₎	0.89 _(0.8)	0.80 _(0.7) *	0.73 _(0.7) *	15/15
SNES	1.5 _(0.6)	21 ₍₂₆₎	44 ₍₄₂₎	∞	∞	∞	0/15
xNES	1.4 _(0.7)	2.4 _(0.9)	5.6 ₍₁₀₎	7.3 ₍₁₁₎	6.4 ₍₁₀₎	5.9 ₍₉₎	15/15
xNESas	1.4 _(0.4)	2.4 _(0.6)	2.7 ₍₆₎	2.3 ₍₄₎	2.1 ₍₄₎	2.0 ₍₃₎	15/15

Table 6: 05-D, running time excess $\text{ERT}/\text{ERT}_{\text{best 2009}}$ on f_{105} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f105	167	1436	5174	10388	10824	11202	15/15
IPOPsaACM	1.4 ^(0.5)	1.5 ⁽²⁾	0.63 ^(0.4)	0.33 ^(0.2) _{↓3}	0.32 ^(0.2) _{↓3}	0.32 ^(0.2) _{↓3}	15/15
SNES	1.7 ^(0.4)	17 ⁽²¹⁾	12 ⁽¹²⁾	35 ⁽³⁶⁾	∞	∞ <i>5e4</i>	0/15
xNES	1.3 ^(0.5)	3.6 ⁽⁶⁾	4.9 ⁽⁷⁾	3.6 ⁽⁵⁾	4.0 ⁽⁵⁾	4.0 ⁽⁵⁾	15/15
xNESas	1.4 ^(0.5)	4.0 ⁽⁴⁾	14 ⁽¹³⁾	11 ⁽⁷⁾	11 ⁽⁷⁾	10 ⁽⁷⁾	15/15

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Table 7: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{106} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f106	92	529	1050	2666	2887	3087	15/15
IPOPsaACM	1.7 (0.9)	0.89 (0.2) ^{*2}	0.60 (0.2) ^{*3}	0.30 (0.1) _{↓4} ^{*3}	0.32 (0.1) _{↓4} ^{*3}	0.36 (0.1) _{↓4} ^{*3}	15/15
SNES	3.9(1)	26(32)	209(239)	276(296)	∞	∞ <i>5e4</i>	0/15
xNES	2.9(1.0)	2.0(0.8)	2.2(0.8)	1.2(0.9)	1.2(0.9)	1.3(1)	15/15
xNESas	2.7(0.8)	3.3(0.9)	3.7(5)	2.2(3)	2.2(3)	2.7(3)	15/15

Table 8: 05-D, running time excess $\text{ERT}/\text{ERT}_{\text{best 2009}}$ on f_{107} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f107	40	228	453	940	1376	1850	15/15
IPOPsaACM	1.4 (2)	1.1 (0.7)	1.4(1)	1.3 (0.8)	1.4 (1.0)	1.9(1)	15/15
SNES	4.2(6)	2.0(1)	1.4 (0.8)	1.3(0.9)	1.4(0.7)	1.3 (0.5)	15/15
xNES	3.2(3)	31(66)	20(33)	10(16)	7.6(11)	45(8)	14/15
xNESas	3.2(5)	7.1(1)	4.2(0.5)	6.9(11)	7.2(8)	7.0(10)	15/15

Table 9: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{108} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f108	87	5144	14469	30935	58628	80667	15/15
IPOPsaACM	7.8 (9)	1.1 (1)	0.60 _(0.4) *2	0.80 _(0.5) *4	0.74 _(0.4) *4	1.0 _(0.6)	15/15
SNES	15(20)	1.5(3)	8.4(10)	∞	∞	∞ <i>5e4</i>	0/15
xNES	84(117)	18(22)	36(28)	∞	∞	∞ <i>7e5</i>	0/15
xNESas	69(120)	12(17)	56(59)	∞	∞	∞ <i>1e6</i>	0/15

Table 10: 05-D, running time excess $ERT/ERT_{\text{best } 2009}$ on f_{109} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f109	11	57	216	572	873	946	15/15
IPOPsaACM	2.9 (2)	1.6 (0.6)	0.83 (0.3)	1.2 (0.3)	1.2 (0.3) ^{*2}	1.6 (0.4) ^{*3}	15/15
SNES	4.4(2)	1.9(0.7)	0.93(0.3)	1.8(1)	13(21)	371(385)	0/15
xNES	3.4(2)	2.0(0.8)	1.4(0.3)	2.0(0.5)	2.3(0.2)	4.1(0.7)	15/15
xNESas	3.6(2)	1.7(0.7)	1.3(0.5)	1.8(0.5)	2.3(0.6)	4.1(0.8)	15/15

Table 11: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{110} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f110	949	33625	1.2e5	5.9e5	6.0e5	6.1e5	15/15
IPOPsaACM	0.71(0.3)	5.6(7)	3.5(4)	0.78 (0.8)	0.84 (0.8)	0.84 (0.8)	15/15
SNES	0.76(1)	0.33 (0.2) _↓	0.65 (0.7)	∞	∞	∞ <i>5e4</i>	0/15
xNES	0.49(0.2)	1.3(2)	2.1(3)	1.7(2)	2.2(2)	2.2(2)	7/15
xNESas	0.44 (0.2)	1.9(2)	3.6(5)	1.2(1)	1.6(2)	2.3(3)	8/15

Table 12: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{111} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f111	6856	6.1e5	8.8e6	2.3e7	3.1e7	3.1e7	3/15
IPOPsaACM	0.50 (0.3)	7.4(8)	1.8(2)	1.00 (1.0)	0.74 (0.8)	0.74 (0.8)	3/15
SNES	1.9(2)	∞	∞	∞	∞	∞ <i>5e4</i>	0/15
xNES	7.2(9)	4.1(5)	0.61 (0.7)	∞	∞	∞ <i>8e5</i>	0/15
xNESas	5.4(8)	1.8 (2)	0.96(1)	∞	∞	∞ <i>1e6</i>	0/15

Table 13: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{112} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f112	107	1684	3421	4502	5132	5596	15/15
IPOPsaACM	1.4 _(0.6) *	1.5 ₍₂₎	1.2 _(0.9)	1.2 _(0.6)	1.2 _(0.6)	1.2 _(0.6)	15/15
SNES	1.9 _(0.4)	16 ₍₁₉₎	19 ₍₂₀₎	∞	∞	∞ <i>5e4</i>	0/15
xNES	4.6 ₍₁₎	3.0 ₍₅₎	3.0 ₍₃₎	6.5 ₍₈₎	12 ₍₁₅₎	18 ₍₂₈₎	15/15
xNESas	2.3 ₍₁₎	2.6 ₍₅₎	7.9 ₍₁₀₎	17 ₍₁₈₎	28 ₍₂₃₎	37 ₍₃₈₎	15/15

Table 14: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{113} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f113	133	1883	8081	24128	24128	24402	15/15
IPOPsaACM	3.0(2)	0.82(0.8)	0.47 (0.6)	0.35 (0.4)	0.35 (0.4)	0.35 (0.4)	15/15
SNES	1.8(2)	0.78 (0.9)	2.1(3)	3.1(3)	3.1(3)	4.1(4)	5/15
xNES	10(6)	3.3(8)	2.1(3)	1.2(2)	1.2(2)	1.2(2)	15/15
xNESas	1.2 (1)	2.4(4)	2.5(4)	1.4(2)	1.4(2)	1.5(2)	15/15

Table 15: 05-D, running time excess $ERT/ERT_{\text{best } 2009}$ on f_{114} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f114	767	14720	56311	83272	83272	84949	15/15
IPOPsaACM	2.6(3)	0.73 (0.4)	0.54 (0.4) ^{*3}	0.44 (0.2) ^{*2}	0.44 (0.2) ^{*2}	0.44 (0.3) ^{*2}	15/15
SNES	2.6 (3)	2.4(3)	∞	∞	∞	∞ <i>5e4</i>	0/15
xNES	10(17)	10(10)	33(37)	∞	∞	∞ <i>8e5</i>	0/15
xNESas	8.0(13)	9.1(13)	157(166)	∞	∞	∞ <i>1e6</i>	0/15

Table 16: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{115} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f115	64	485	1829	2550	2550	2970	15/15
IPOPsaACM	1.6(0.6)	0.98(1)	1.2(1)	1.2(0.8)	1.2(0.8)	1.1(0.7)	15/15
SNES	1.6(0.8)	1.8(2)	4.4(4)	40(43)	40(47)	45(43)	4/15
xNES	1.7(1)	1.9(0.3)	2.3(5)	2.5(5)	2.5(5)	2.6(4)	15/15
xNESas	1.3(0.9)	0.88(0.4)	1.8(4)	1.8(4)	1.8(4)	1.6(3)	15/15

Table 17: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{116} , in *italics* is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f116	5730	14472	22311	26868	30329	31661	15/15
IPOPsaACM	1.0(1)	0.74 (0.8)	0.56 (0.5)	0.59 (0.5)	0.56 (0.4)↓	0.56 (0.4)↓	15/15
SNES	1.6(1)	5.9(6)	∞	∞	∞	∞ <i>5e4</i>	0/15
xNES	0.62 (1)	0.78(1)	1.3(2)	1.2(1)	1.2(1)	1.2(1)	14/15
xNESas	1.4(2)	1.2(2)	1.1(2)	1.3(1)	1.6(2)	1.8(2)	15/15

Table 18: 05-D, running time excess $\text{ERT}/\text{ERT}_{\text{best 2009}}$ on f_{117} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f117	26686	76052	1.1e5	1.4e5	1.7e5	1.9e5	15/15
IPOPsaACM	0.60 _(0.5) ^{*2}	0.43 _(0.3) ^{*2}	0.42 _(0.3) ^{*2} _{↓2}	0.54 _(0.3) ↓	0.59 _(0.3)	0.60 _(0.2)	15/15
SNES	6.3 ₍₆₎	∞	∞	∞	∞	∞ <i>5e4</i>	0/15
xNES	9.4 ₍₁₃₎	47 ₍₄₉₎	∞	∞	∞	∞ <i>8e5</i>	0/15
xNESas	8.4 ₍₆₎	39 ₍₄₇₎	∞	∞	∞	∞ <i>1e6</i>	0/15

Table 19: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{118} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f118	429	1217	1555	1998	2430	2913	15/15
IPOPsaACM	0.49 _(0.1) [*] _{↓4} ³	0.25 _(0.1) [*] _{↓4} ³	0.33 _(0.1) [*] _{↓4} ²	0.48 _(0.1) [*] _{↓4} ²	0.63 _(0.1) [*] _{↓3} ²	0.74 _(0.3) [*] _{↓2}	15/15
SNES	11 ₍₉₎	33 ₍₃₆₎	∞	∞	∞	∞	0/15
xNES	1.0 _(0.4)	0.50 _(0.1) _{↓4}	0.52 _(0.1) _{↓4}	0.73 _(0.1) _{↓2}	1.0 _(0.2)	1.6 _(0.2)	15/15
xNESas	1.00 _(0.4)	0.48 _(0.1) _{↓4}	0.48 _(0.1) _{↓4}	0.69 _(0.2) _{↓2}	0.96 _(0.2)	1.1 _(0.2)	15/15

Table 20: 05-D, running time excess $ERT/ERT_{\text{best } 2009}$ on f_{119} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f119	12	657	1136	10372	35296	49747	15/15
IPOPsaACM	4.9(10)	1.1(2)	0.99(0.9)	0.50 (0.5)	0.47 (0.2) _{↓2}	0.61 (0.5) ^{*2}	15/15
SNES	3.9(6)	0.64(0.9)	0.64 (0.5)	0.84(0.9)	∞	<i>5e4</i>	0/15
xNES	1.9 (2)	0.38 (0.4)	0.66(0.2)	2.6(3)	1.5(1)	12(13)	9/15
xNESas	3.8(4)	2.1(1)	6.3(13)	1.6(2)	2.3(3)	5.9(6)	15/15

Table 21: 05-D, running time excess $ERT/ERT_{\text{best } 2009}$ on f_{120} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f120	16	2900	18698	72438	3.3e5	5.5e5	15/15
IPOPsaACM	26 ⁽⁵⁶⁾	1.1 ⁽¹⁾	0.80 ^{(0.5)*}	0.52 ^{(0.3)*4}	0.36 ^{(0.3)↓3}	0.64 ^(0.5)	15/15
SNES	12 ⁽³²⁾	0.72 ^(0.9)	38 ⁽⁴²⁾	∞	∞	∞ <i>5e4</i>	0/15
xNES	9.0 ⁽¹²⁾	14 ⁽¹⁷⁾	43 ⁽⁴²⁾	∞	∞	∞ <i>8e5</i>	0/15
xNESas	51 ⁽¹⁸⁾	13 ⁽²¹⁾	25 ⁽³⁴⁾	∞	∞	∞ <i>1e6</i>	0/15

Table 22: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{121} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f121	8.6	111	273	1583	3870	6195	15/15
IPOPsaACM	3.3(4)	0.98(0.5)	0.97(0.5)	1.0 (0.6)	0.95 (0.4)	0.86 (0.2)	15/15
SNES	2.6 (3)	1.1(0.8)	0.77 (0.4)	11(14)	∞	∞ <i>5e4</i>	0/15
xNES	2.7(3)	0.96(0.5)	1.2(0.2)	1.3(0.5)	1.2(1)	1.7(2)	15/15
xNESas	2.6(2)	0.85 (0.6)	0.96(0.5)	1.6(0.8)	1.5(2)	2.3(3)	15/15

Table 23: 05-D, running time excess $\text{ERT}/\text{ERT}_{\text{best 2009}}$ on f_{122} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f122	10	1727	9190	30087	53743	1.1e5	15/15
IPOPsaACM	2.6(3)	1.2(0.8)	0.75 (0.5)	0.58 (0.2) _↓ ^{*4}	0.77 (0.3) ^{*4}	0.66 (0.3) _↓	15/15
SNES	7.8(10)	0.65 (0.6)	2.3(3)	∞	∞	∞ <i>5e4</i>	0/15
xNES	1.7 (2)	1.9(2)	6.4(4)	200(214)	∞	∞ <i>8e5</i>	0/15
xNESas	5.0(4)	5.5(11)	8.9(8)	583(644)	∞	∞ <i>1e6</i>	0/15

Table 24: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{123} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f123	11	16066	81505	3.4e5	6.7e5	2.2e6	15/15
IPOPsaACM	23(52)	0.74 (0.4)	0.70 (0.5)	0.58 (0.3)	0.80 (0.7)	0.71 (0.5)	15/15
SNES	12(16)	3.1(3)	∞	∞	∞	∞ <i>5e4</i>	0/15
xNES	36(70)	10(9)	∞	∞	∞	∞ <i>8e5</i>	0/15
xNESas	6.6 (9)	7.2(7)	∞	∞	∞	∞ <i>1e6</i>	0/15

Table 25: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{124} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f124	10	202	1040	20478	45337	95200	15/15
IPOPsaACM	2.6(2)	1.3(0.6)	3.1(4)	0.85 (0.7)	0.97 (0.8) ^{*3}	4.1 (8)	15/15
SNES	2.9(4)	1.2(1.0)	1.2 (0.9)	∞	∞	∞ <i>5e4</i>	0/15
xNES	2.5 (2)	1.4(0.4)	3.8(10)	2.0(2)	19(21)	112(125)	1/15
xNESas	2.9(3)	1.2 (0.5)	2.0(0.7)	1.1(1)	36(37)	60(67)	1/15

Table 26: 05-D, running time excess $\text{ERT}/\text{ERT}_{\text{best 2009}}$ on f_{125} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f125	1	1	1	2.4e5	2.4e5	2.5e5	15/15
IPOPsaACM	1.5(0)	18 (18)	4308(4084)	0.56 (0.6)	0.79 (0.9)	4.8 (6)	15/15
SNES	1.2(0.5)	33(34)	3958 (3495)	∞	∞	∞ <i>5e4</i>	0/15
xNES	1.1 (0)	29(26)	9476(1e4)	∞	∞	∞ <i>8e5</i>	0/15
xNESas	1.3(0.5)	23(22)	7786(7916)	∞	∞	∞ <i>1e6</i>	0/15

Table 27: 05-D, running time excess $\text{ERT}/\text{ERT}_{\text{best 2009}}$ on f_{126} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f126	1	1	1	∞	∞	∞	0
IPOPsaACM	1 (0)	165 (444)	9361 (8720)	1.3e7 (1e7)	1.3e7 (1e7)	1.3e7 (1e7)	5/15
SNES	1.4(1)	32 (50)	5.2e4(5e4)	.	.	.	0/15
xNES	1.1(0)	88(191)	4.4e4(5e4)	.	.	.	0/15
xNESas	1.1(0.5)	44(88)	4.2e4(5e4)	.	.	.	0/15

Table 28: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{127} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f127	1	1	1	3.4e5	3.9e5	4.0e5	15/15
IPOPsaACM	1 (0)	20(22)	2432 (3044)	0.30 (0.3)	0.32 (0.3)↓	0.33 (0.3)↓	15/15
SNES	1.1(0.5)	19 (16)	3060(2752)	∞	∞	∞ <i>5e4</i>	0/15
xNES	1.1(0)	19(22)	3395(5420)	31(36)	∞	∞ <i>7e5</i>	0/15
xNESas	1.1(0.5)	20(16)	3858(5345)	∞	∞	∞ <i>1e6</i>	0/15

Table 29: 05-D, running time excess $\text{ERT}/\text{ERT}_{\text{best 2009}}$ on f_{128} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f128	111	4248	7808	12447	17217	21162	15/15
IPOPsaACM	1.3 (1.0)	16(21)	265(321)	203(342)	147(247)	124(148)	11/15
SNES	1.6(2)	1.1 (1)	0.78 (0.8)	0.51 (0.5)	0.40 (0.3) $\downarrow 2$	0.45 (0.4) $\downarrow 2$	15/15
xNES	7.1(2)	7.3(11)	5.2(6)	3.3(4)	2.4(3)	2.0(2)	15/15
xNESas	22(67)	6.2(9)	5.7(7)	3.6(4)	2.6(3)	2.1(2)	15/15

Table 30: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{129} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f129	64	10710	59443	2.8e5	5.1e5	5.8e5	15/15
IPOPsaACM	9.1(12)	10(21)	19(42)	13(18)	7.1 (10)	6.3 (9)	9/15
SNES	7.6 (14)	1.2 (1)	1.8 (2)	∞	∞	∞ <i>5e4</i>	0/15
xNES	38(34)	15(10)	10(8)	11 (13)	∞	∞ <i>7e5</i>	0/15
xNESas	17(16)	11(11)	8.6(11)	14(16)	∞	∞ <i>1e6</i>	0/15

Table 31: 05-D, running time excess $ERT/ERT_{\text{best 2009}}$ on f_{130} , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

Δf_{opt}	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
f130	55	812	3034	32823	33889	34528	10/15
IPOPsaACM	1.4 (0.9)	27(27)	126(131)	42(76)	41(74)	40(72)	13/15
SNES	2.9(7)	4.8 (5)	1.6 (2)	0.19 (0.2)	0.44 (0.4)	2.7(2)	3/15
xNES	13(1)	67(84)	25(25)	2.4(2)	2.3(2)	2.3 (2)	15/15
xNESas	17(0.9)	67(79)	28(48)	2.6(4)	2.5(4)	2.5(4)	15/15

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