

# Comparison tables: BBOB 2012 noisy testbed with BBOB 2009 as reference

The BBOBies

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## Abstract

This document provides tabular results of the workshop for Black-Box Optimization Benchmarking at GECCO 2012, see <http://coco.gforge.inria.fr/doku.php?id=bbob-2012>. 4 algorithms have been tested on 24 benchmark functions in dimensions between 2 and 40. A description of the used objective functions can be found in [4, 2]. The experimental set-up is described in [3].

The performance measure provided in the following tables is the expected number of objective function evaluations to reach a given target function value (ERT, expected running time), divided by the respective value for the best algorithm in BBOB-2009 (see [1]) if an algorithm from BBOB-2009 reached the given target function value. The ERT value is given otherwise ( $\text{ERT}_{\text{best}}$  is noted as infinite). See [3] for details on how ERT is obtained. Bold entries in the table correspond to values below 3 or the top-three best values. Table 1 gives an overview on all algorithms submitted to the noise-free testbed in 2012.

Table 1: Names and references of all algorithms submitted for the noise-free testbed

algorithm name	short	paper	reference
IPOPsaACM		Black-box Optimization Benchmarking of IPOP-saACM-ES on the BBOB-2012 Noisy Testbed (Page 261)	[8]
SNES		Benchmarking Separable Natural Evolution Strategies on the Noiseless and Noisy Black-Box Optimization Testbeds (Page 205)	[7]
xNES		Benchmarking Exponential Natural Evolution Strategies on the Noiseless and Noisy Black-Box Optimization Testbeds (Page 213)	[5]
xNESas		Benchmarking Natural Evolution Strategies with Adaptation Sampling on the Noiseless and Noisy Black-Box Optimization Testbeds (Page 229)	[6]
SNES, xNES, xNESas		Comparing Natural Evolution Strategies to BIPOP-CMA-ES on Noiseless and Noisy Black-Box Optimization Testbeds (Page 237)	[9]

Table 2: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{101}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f101</b>	1.8	8.0	10	14	20	23	15/15
IPOPsaACM	<b>3.4</b> (4)	<b>1.8</b> (2)	4.1(1)	<b>4.0</b> (1)*	<b>3.9</b> (0.6)* <sup>4</sup>	<b>4.1</b> (0.6)* <sup>4</sup>	15/15
SNES	4.4(4)	2.0(2)	<b>3.2</b> (2)	7.2(3)	11(2)	14(2)	15/15
xNES	8.4(7)	5.1(3)	6.8(3)	9.3(4)	12(3)	13(3)	15/15
xNESas	6.7(7)	3.4(2)	5.4(3)	8.0(4)	10(2)	12(2)	15/15

Table 3: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{102}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f102</b>	1.8	7.1	11	19	25	31	15/15
IPOPsaACM	<b>3.1</b> (3)	<b>2.8</b> (2)	<b>3.1</b> (2)	<b>3.2</b> (0.8) <sup>*2</sup>	<b>3.3</b> (0.6) <sup>*3</sup>	<b>3.1</b> (0.6) <sup>*4</sup>	15/15
SNES	6.6(8)	3.8(2)	4.3(2)	7.0(1)	8.6(1)	10(1)	15/15
xNES	5.1(6)	3.4(4)	4.4(5)	6.4(2)	8.0(3)	8.8(2)	15/15
xNESas	7.0(7)	42(4)	29(3)	20(7)	29(80)	26(65)	15/15

Table 4: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{103}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f103</b>	1.8	7.9	9.4	9.4	10	14	15/15
IPOPsaACM	4.4(4)	2.9(3)	<b>3.8</b> (2)	<b>6.6</b> (1) <sup>*2</sup>	<b>8.9</b> (3) <sup>*3</sup>	<b>8.7</b> (2) <sup>*4</sup>	15/15
SNES	4.3(5)	<b>2.6</b> (1)	4.2(2)	14(5)	35(23)	71(58)	15/15
xNES	<b>4.2</b> (4)	3.1(2)	5.2(3)	14(4)	25(10)	25(5)	15/15
xNESas	4.3(5)	4.4(5)	7.2(4)	14(5)	27(19)	28(15)	15/15

Table 5: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{104}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f104</b>	5.4	15	194	248	256	263	15/15
IPOPsaACM	4.4(3)	<b>4.9</b> (4)	<b>1.5</b> (0.8)	<b>1.5</b> (0.6)	<b>1.5</b> (0.6)	<b>1.5</b> (0.6)*	15/15
SNES	12(7)	9.2(12)	3.7(4)	125(158)	$\infty$	$\infty$ 2e4	0/15
xNES	4.7(6)	18(6)	5.7(7)	5.5(6)	7.5(16)	7.6(15)	15/15
xNESas	<b>3.4</b> (3)	32(5)	4.9(12)	4.9(10)	6.2(10)	6.3(10)	15/15

Table 6: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{105}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f105</b>	5.4	15	357	381	397	410	15/15
IPOPsaACM	4.5(4)	11(4)	<b>0.90</b> (1)	<b>1.4</b> (2)	<b>1.4</b> (2)	<b>1.5</b> (2)	15/15
SNES	<b>4.3</b> (5)	<b>6.4</b> (8)	3.0(5)	52(53)	348(405)	$\infty$ 2e4	0/15
xNES	5.8(5)	37(8)	4.3(7)	5.7(10)	5.7(9)	5.7(9)	15/15
xNESas	54(6)	69(137)	7.2(12)	9.2(16)	11(16)	11(15)	15/15

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Table 7: 02-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{106}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f106</b>	5.4	15	139	352	490	650	15/15
IPOPsaACM	<b>2.7</b> (2)	<b>4.2</b> (4)	<b>1.1</b> (0.7)	<b>0.72</b> (0.5)	<b>0.63</b> (0.4)	<b>0.58</b> (0.4)*	15/15
SNES	5.3(5)	4.5(4)	8.0(11)	48(46)	296(328)	∞ 2e4	0/15
xNES	5.6(6)	5.8(5)	2.3(3)	3.0(3)	3.2(5)	2.8(4)	15/15
xNESas	5.1(5)	11(11)	6.1(5)	4.5(4)	3.6(3)	2.9(2)	15/15



Table 8: 02-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{107}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f107</b>	1.8	13	28	158	255	421	15/15
IPOPsaACM	<b>5.2</b> (6)	<b>1.8</b> (2)	<b>2.1</b> (2)	1.2(0.7)	1.4(0.6)	1.1(0.4)	15/15
SNES	15(21)	3.9(4)	2.7(3)	<b>1.1</b> (0.6)	<b>1.3</b> (0.4)	<b>1.0</b> (0.2)	15/15
xNES	27(19)	33(114)	18(55)	5.2(10)	3.6(6)	2.9(4)	13/15
xNESas	154(9)	90(171)	44(81)	10(15)	7.7(9)	5.6(6)	15/15

Table 9: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{108}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f108</b>	1.8	30	202	3422	7369	15979	15/15
IPOPsaACM	<b>15</b> <sup>(14)</sup>	<b>10</b> <sup>(13)</sup>	4.8 <sup>(7)</sup>	<b>1.0</b> <sup>(0.6)</sup>	<b>1.2</b> <sup>(1)</sup> * <sup>3</sup>	<b>0.88</b> <sup>(0.5)</sup> * <sup>3</sup>	15/15
SNES	53 <sup>(74)</sup>	10 <sup>(15)</sup>	<b>2.8</b> <sup>(3)</sup>	2.5 <sup>(2)</sup>	$\infty$	$\infty$ 2e4	0/15
xNES	170 <sup>(558)</sup>	49 <sup>(66)</sup>	11 <sup>(13)</sup>	10 <sup>(13)</sup>	287 <sup>(327)</sup>	$\infty$ 1e5	0/15
xNESas	502 <sup>(1112)</sup>	100 <sup>(123)</sup>	31 <sup>(31)</sup>	34 <sup>(30)</sup>	406 <sup>(434)</sup>	$\infty$ 2e5	0/15

Table 10: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{109}$ , in *italics* is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f109</b>	1.8	10	13	68	96	96	15/15
IPOPsaACM	4.3(6)	<b>2.2</b> (2)	4.3(4)	<b>2.3</b> (2)	<b>3.3</b> (2)	<b>5.5</b> (3)	15/15
SNES	<b>3.9</b> (2)	2.4(1)	<b>3.6</b> (2)	2.6(1)	11(10)	336(417)	1/15
xNES	5.8(5)	3.6(4)	5.5(4)	5.8(3)	5.3(3)	8.7(12)	15/15
xNESas	5.4(6)	5.7(12)	11(10)	5.7(4)	9.1(17)	11(22)	15/15

Table 11: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{110}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f110</b>	7.1	34	623	2319	8407	9154	14/15
IPOPsaACM	<b>4.1</b> (3)	5.8(2)	2.6(2)	<b>2.9</b> (3)	<b>1.1</b> (0.9)	<b>1.0</b> (0.8)	15/15
SNES	5.9(7)	<b>2.9</b> (4)	<b>1.2</b> (1)	8.4(9)	34(38)	$\infty$ <i>2e4</i>	0/15
xNES	11(7)	26(30)	4.2(7)	4.2(4)	1.4(1)	1.3(1)	14/15
xNESas	7.1(8)	53(118)	8.8(10)	5.4(6)	2.2(2)	2.3(3)	15/15

Table 12: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{111}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f111</b>	24	119	718	12718	61860	1.7e5	15/15
IPOPsaACM	5.9(3)	3.6(7)	4.1(3)	7.9(11)	<b>2.7</b> (3)	<b>1.0</b> (1)	15/15
SNES	<b>4.7</b> (5)	<b>2.9</b> (3)	<b>1.9</b> (2)	<b>4.9</b> (6)	$\infty$	$\infty$ <i>2e4</i>	0/15
xNES	29(83)	13(21)	12(12)	7.0(7)	$\infty$	$\infty$ <i>2e5</i>	0/15
xNESas	50(90)	23(41)	17(21)	10(12)	$\infty$	$\infty$ <i>2e5</i>	0/15

Table 13: 02-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{112}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f112</b>	5.4	15	625	1154	1373	1531	15/15
IPOPsaACM	4.8(6)	4.9(3)	<b>0.51</b> (0.6)	<b>0.73</b> (0.5)	<b>0.97</b> (0.7)	<b>1.1</b> (0.6)	15/15
SNES	4.7(4)	<b>4.1</b> (2)	2.1(2)	42(45)	$\infty$	$\infty$ <i>2e4</i>	0/15
xNES	<b>3.1</b> (3)	12(10)	2.5(4)	3.6(4)	4.3(4)	4.2(4)	15/15
xNESas	4.1(4)	23(14)	2.7(5)	4.1(4)	6.0(6)	5.5(5)	15/15

Table 14: 02-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{113}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f113</b>	4.7	31	87	174	174	876	15/15
IPOPsaACM	<b>4.3</b> (5)	<b>3.0</b> (5)	11(20)	9.4(11)	9.4(11)	<b>2.0</b> (2)	15/15
SNES	8.8(11)	3.5(5)	<b>5.9</b> (8)	<b>6.5</b> (8)	<b>6.5</b> (8)	3.3(4)	14/15
xNES	7.6(9)	20(32)	14(29)	18(26)	18(26)	3.6(5)	15/15
xNESas	6.1(5)	25(75)	26(31)	30(57)	30(57)	6.0(11)	15/15

Table 15: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{114}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f114</b>	8.9	43	698	5343	5343	8680	15/15
IPOPsaACM	18 <sub>(20)</sub>	9.5 <sub>(13)</sub>	3.2 <sub>(3)</sub>	<b>1.3</b> <sub>(1)</sub>	<b>1.3</b> <sub>(1)</sub>	<b>1.1</b> <sub>(0.6)</sub>	15/15
SNES	<b>5.7</b> <sub>(5)</sub>	<b>5.0</b> <sub>(5)</sub>	<b>1.3</b> <sub>(1.0)</sub>	2.4 <sub>(3)</sub>	2.4 <sub>(3)</sub>	4.6 <sub>(5)</sub>	0/15
xNES	37 <sub>(114)</sub>	33 <sub>(50)</sub>	11 <sub>(12)</sub>	5.7 <sub>(6)</sub>	5.7 <sub>(6)</sub>	8.9 <sub>(7)</sub>	5/15
xNESas	141 <sub>(229)</sub>	162 <sub>(261)</sub>	21 <sub>(34)</sub>	17 <sub>(20)</sub>	17 <sub>(20)</sub>	20 <sub>(23)</sub>	5/15



Table 16: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{115}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f115</b>	3.2	13	225	394	394	543	15/15
IPOPsaACM	<b>5.2</b> (4)	<b>4.4</b> (4)	2.0(3)	<b>2.0</b> (2)	<b>2.0</b> (2)	<b>1.8</b> (2)	15/15
SNES	5.2(5)	6.4(2)	<b>1.3</b> (2)	2.4(4)	2.4(4)	7.6(14)	11/15
xNES	6.4(7)	24(74)	6.3(9)	5.3(6)	5.3(6)	4.7(5)	15/15
xNESas	5.2(4)	24(5)	3.8(9)	6.2(13)	6.2(13)	4.9(11)	15/15

Table 17: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{116}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f116</b>	49	101	155	275	1041	1788	15/15
IPOPsaACM	14 <sup>(19)</sup>	18 <sup>(20)</sup>	13 <sup>(13)</sup>	7.8 <sup>(8)</sup>	2.3 <sup>(2)</sup>	1.5 <sup>(1)</sup>	15/15
SNES	2.7 <sup>(4)</sup>	12 <sup>(10)</sup>	20 <sup>(16)</sup>	229 <sup>(264)</sup>	$\infty$	$\infty$ <i>2e4</i>	0/15
xNES	15 <sup>(51)</sup>	<b>8.4</b> <sup>(25)</sup>	<b>9.1</b> <sup>(17)</sup>	<b>5.6</b> <sup>(9)</sup>	<b>1.6</b> <sup>(2)</sup>	<b>0.98</b> <sup>(1)</sup>	15/15
xNESas	<b>2.0</b> <sup>(2)</sup>	26 <sup>(43)</sup>	21 <sup>(29)</sup>	14 <sup>(16)</sup>	3.8 <sup>(4)</sup>	3.0 <sup>(6)</sup>	15/15

Table 18: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{117}$ , in *italics* is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f117</b>	167	1346	6454	28223	36420	43231	15/15
IPOPsaACM	3.7(7)	3.4(6)	2.0(2)	<b>0.73</b> (0.6)	<b>0.70</b> (0.4)	<b>0.73</b> (0.3)	15/15
SNES	<b>2.2</b> (5)	<b>1.1</b> (2)	<b>1.0</b> (1)	$\infty$	$\infty$	$\infty$ <i>2e4</i>	0/15
xNES	5.0(6)	3.0(5)	2.8(4)	6.6(7)	62(62)	$\infty$ <i>2e5</i>	0/15
xNESas	23(26)	9.4(9)	3.4(4)	5.4(6)	80(88)	$\infty$ <i>2e5</i>	0/15

Table 19: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{118}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f118</b>	21	103	132	584	776	972	15/15
IPOPsaACM	3.7(2)	<b>1.4</b> (1)	<b>1.4</b> (1)	<b>0.58</b> (0.4)	<b>0.64</b> (0.4)	<b>0.77</b> (0.5)	15/15
SNES	7.3(10)	12(12)	27(33)	51(59)	$\infty$	$\infty$ <i>2e4</i>	0/15
xNES	<b>3.6</b> (3)	1.8(1)	2.6(3)	1.5(2)	1.9(2)	2.1(2)	15/15
xNESas	15(3)	4.4(5)	5.4(15)	1.5(4)	1.6(3)	2.3(4)	15/15

Table 20: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{119}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f119</b>	1.4	11	71	1040	4767	10082	15/15
IPOPsaACM	<b>2.4</b> (2)	8.6(16)	1.9(2)	0.47(0.6)	<b>0.99</b> (0.7)	<b>0.82</b> (0.2)	15/15
SNES	5.2(4)	<b>5.2</b> (6)	<b>1.5</b> (1)	<b>0.44</b> (0.2) <sub>↓3</sub>	4.4(5)	30(33)	1/15
xNES	5.3(8)	65(7)	10(1)	2.4(5)	1.6(1)	1.1(1)	14/15
xNESas	10(11)	61(218)	13(33)	2.9(4)	2.2(3)	1.8(2)	15/15

Table 21: 02-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{120}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f120</b>	1.4	11	374	5724	75406	1.9e5	15/15
IPOPsaACM	5.1(7)	<b>10</b> (12)	2.0(2)	<b>2.0</b> (2) <sup>*</sup>	<b>0.46</b> (0.4) <sub>↓</sub>	<b>0.51</b> (0.4) <sub>↓</sub>	15/15
SNES	<b>4.8</b> (9)	11(15)	<b>0.98</b> (1.0)	50(56)	$\infty$	$\infty$ <i>2e4</i>	0/15
xNES	107(33)	193(307)	12(20)	11(7)	$\infty$	$\infty$ <i>1e5</i>	0/15
xNESas	8.8(6)	160(375)	13(18)	23(24)	$\infty$	$\infty$ <i>2e5</i>	0/15

Table 22: 02-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{121}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f121</b>	1.4	7.1	42	327	1120	1702	15/15
IPOPsaACM	<b>2.5</b> (4)	<b>2.1</b> (2)	1.2(0.7)	<b>1.2</b> (0.7)	<b>1.0</b> (0.4)	<b>1.2</b> (0.4)	15/15
SNES	3.5(6)	4.7(5)	1.4(0.8)	1.9(2)	255(286)	$\infty$ <i>2e4</i>	0/15
xNES	4.4(5)	4.4(4)	1.7(1)	1.3(0.9)	1.2(1.0)	1.7(2)	15/15
xNESas	3.0(5)	2.6(2)	<b>1.1</b> (0.7)	1.7(0.8)	1.6(3)	2.3(4)	15/15

Table 23: 02-D, running time excess  $ERT/ERT_{\text{best } 2009}$  on  $f_{122}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f122</b>	2.9	95	523	2244	4351	9561	15/15
IPOPsaACM	<b>3.9</b> (5)	<b>1.1</b> (0.7)	1.3(1)	<b>1.2</b> (1)	<b>1.2</b> (0.7)	<b>0.79</b> (0.4) <sup>*3</sup>	15/15
SNES	18(13)	2.2(3)	<b>0.94</b> (1)	3.2(4)	65(75)	$\infty$ 2e4	0/15
xNES	116(343)	17(32)	4.9(7)	7.0(9)	13(13)	35(38)	4/15
xNESas	106(28)	28(32)	14(19)	12(14)	19(15)	53(52)	3/15



Table 24: 02-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{123}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f123</b>	3.1	211	6371	38734	1.0e5	2.2e5	15/15
IPOPsaACM	40 <sub>(34)</sub>	3.7 <sub>(5)</sub>	<b>0.90</b> <sub>(0.7)</sub>	<b>0.95</b> <sub>(0.4)</sub>	<b>0.68</b> <sub>(0.5)</sub>	<b>0.82</b> <sub>(0.5)</sub>	15/15
SNES	<b>8.0</b> <sub>(18)</sub>	<b>2.8</b> <sub>(4)</sub>	2.2 <sub>(2)</sub>	$\infty$	$\infty$	$\infty$ <i>2e4</i>	0/15
xNES	68 <sub>(10)</sub>	20 <sub>(19)</sub>	8.3 <sub>(9)</sub>	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNESas	172 <sub>(527)</sub>	47 <sub>(55)</sub>	12 <sub>(16)</sub>	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15

Table 25: 02-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{124}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f124</b>	3.5	64	316	1991	5595	9019	15/15
IPOPsaACM	<b>2.3</b> (2)	3.4(1)	1.4(2)	<b>0.84</b> (0.7)	<b>1.1</b> (0.8)*4	<b>2.4</b> (1)	15/15
SNES	4.0(3)	<b>1.9</b> (3)	<b>0.91</b> (0.9)	71(72)	$\infty$	$\infty$ 2e4	0/15
xNES	4.0(5)	6.3(17)	2.7(5)	4.6(5)	23(22)	41(46)	5/15

Table 26: 02-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{125}$ , in *italics* is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f125</b>	1	1	1	1150	3854	7556	15/15
IPOPsaACM	1.1(0)	<b>4.1</b> (4)	37(34)	1.9(3)	<b>1.4</b> (1)	<b>1.6</b> (2)	15/15
SNES	<b>1</b> (0)	6.3(9)	40(49)	<b>0.82</b> (1)	2.7(2)	12(13)	1/15
xNES	1.1(0)	6.8(9)	60(48)	4.6(5)	5.1(6)	3.1(3)	14/15
xNESas	1.3(1)	6.1(4)	<b>30</b> (32)	7.2(7)	7.1(8)	8.4(10)	14/15

Table 27: 02-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best}}$  2009 on  $f_{126}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f126</b>	1	1	1	3417	11056	36387	15/15
IPOPsaACM	<b>1</b> (0)	9.2(10)	70(89)	<b>1.3</b> (1)	<b>1.3</b> (1)	<b>1.4</b> (1)	15/15
SNES	<b>1</b> (0)	5.5(8)	<b>66</b> (79)	1.5(2)	8.2(9)	$\infty$ 2e4	0/15
xNES	1.1(0)	6.1(6)	667(1505)	4.4(4)	7.3(8)	60(67)	0/15
xNESas	1.1(0)	<b>3.3</b> (2)	980(2133)	10(13)	12(5)	25(25)	1/15

Table 28: 02-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{127}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f127</b>	1	1	1	1185	6771	7277	13/15
IPOPsaACM	1.3(0)	5.5(6)	75(59)	2.5(2)	<b>0.94</b> (1)	<b>1.1</b> (1)	15/15
SNES	<b>1.1</b> (0.5)	4.9(5)	<b>37</b> (31)	<b>1.6</b> (1)	1.7(2)	19(21)	0/15
xNES	1.8(0.5)	5.7(6)	167(87)	7.4(10)	2.6(3)	5.0(6)	15/15
xNESas	1.3(0)	<b>4.3</b> (6)	67(77)	8.9(14)	3.5(4)	5.5(6)	15/15

Table 29: 02-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{128}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f128</b>	1.8	41	134	387	593	620	15/15
IPOPsaACM	1.5(1)	8.1(8)	22(23)	19(28)	83(23)	91(23)	15/15
SNES	1.6(1)	<b>5.1</b> (6)	<b>2.0</b> (3)	<b>1.2</b> (1)	<b>0.93</b> (0.8)	<b>1.3</b> (2)	15/15
xNES	1.4(0.8)	46(72)	22(23)	10(13)	6.9(8)	6.6(8)	15/15
xNESas	<b>1.2</b> (1)	32(61)	65(99)	32(39)	23(26)	22(25)	15/15

Table 30: 02-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{129}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f129</b>	1.8	65	220	1902	5944	10661	15/15
IPOPsaACM	1.4(2)	<b>3.3</b> (4)	11(9)	2.7(3)	<b>1.6</b> (1)	<b>1.2</b> (1)*	15/15
SNES	1.4(1)	3.5(4)	<b>3.0</b> (4)	<b>1.6</b> (2)	1.9(2)	13(14)	0/15
xNES	<b>0.85</b> (0.6)	25(32)	19(23)	5.0(6)	5.5(6)	11(10)	9/15
xNESas	1.1(0.8)	25(67)	35(36)	14(13)	18(13)	25(22)	6/15

Table 31: 02-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{130}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f130</b>	1.5	45	198	797	1772	4442	15/15
IPOPsaACM	1.7(1)	4.8(5)	8.2(15)	6.8(4)	12(13)	26(49)	15/15
SNES	1.4(1.0)	<b>3.6</b> (4)	<b>2.6</b> (4)	<b>1.0</b> (1)	<b>0.62</b> (0.7)	<b>0.50</b> (0.4)	15/15
xNES	<b>1.3</b> (1)	20(24)	16(32)	4.2(8)	1.9(4)	0.81(1)	15/15
xNESas	1.7(2)	57(89)	35(54)	8.9(13)	4.9(7)	2.0(3)	15/15



Table 32: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{101}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f101</b>	3.6	13	19	28	33	38	15/15
IPOPsaACM	<b>3.7</b> <sup>(4)</sup>	<b>3.0</b> <sup>(2)</sup>	<b>3.3</b> <sup>(0.6)</sup>	<b>3.1</b> <sup>(0.7)</sup> * <sup>3</sup>	<b>3.4</b> <sup>(0.5)</sup> * <sup>4</sup>	<b>3.5</b> <sup>(0.4)</sup> * <sup>4</sup>	15/15
SNES	4.3 <sup>(3)</sup>	3.2 <sup>(1)</sup>	3.9 <sup>(2)</sup>	7.7 <sup>(1)</sup>	11 <sup>(1)</sup>	13 <sup>(0.9)</sup>	15/15
xNES	5.3 <sup>(4)</sup>	3.8 <sup>(2)</sup>	5.4 <sup>(2)</sup>	8.6 <sup>(2)</sup>	12 <sup>(2)</sup>	14 <sup>(1)</sup>	15/15
xNESas	4.9 <sup>(4)</sup>	3.3 <sup>(2)</sup>	4.3 <sup>(2)</sup>	7.6 <sup>(2)</sup>	11 <sup>(2)</sup>	13 <sup>(2)</sup>	15/15

Table 33: 03-D, running time excess  $ERT/ERT_{\text{best } 2009}$  on  $f_{102}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f102</b>	3.6	12	23	32	39	48	15/15
IPOPsaACM	4.4(6)	3.2(2)	<b>2.5</b> (1)	<b>2.7</b> (0.5) <sup>*4</sup>	<b>2.9</b> (0.6) <sup>*4</sup>	<b>3.0</b> (0.5) <sup>*4</sup>	15/15
SNES	4.9(6)	3.8(2)	3.4(2)	6.7(1)	9.1(1)	10(1)	15/15
xNES	4.6(4)	3.5(2)	4.1(3)	6.9(1)	10(2)	11(1)	15/15
xNESas	<b>3.6</b> (5)	<b>3.2</b> (2)	3.8(2)	6.8(1)	8.6(1)	10(2)	15/15

Table 34: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{103}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f103</b>	3.6	13	19	19	23	43	15/15
IPOPSaACM	<b>2.9</b> <sup>(3)</sup>	<b>2.6</b> <sup>(2)</sup>	<b>3.1</b> <sup>(0.8)</sup>	<b>4.8</b> <sup>(1.0)*4</sup>	<b>6.8</b> <sup>(3)*3</sup>	<b>4.9</b> <sup>(2)*4</sup>	15/15
SNES	4.4 <sup>(4)</sup>	3.1 <sup>(2)</sup>	4.2 <sup>(1)</sup>	12 <sup>(2)</sup>	24 <sup>(15)</sup>	32 <sup>(25)</sup>	15/15
xNES	4.5 <sup>(5)</sup>	3.0 <sup>(2)</sup>	4.3 <sup>(3)</sup>	11 <sup>(2)</sup>	18 <sup>(4)</sup>	14 <sup>(2)</sup>	15/15
xNESas	5.2 <sup>(5)</sup>	3.5 <sup>(2)</sup>	4.6 <sup>(2)</sup>	12 <sup>(3)</sup>	15 <sup>(5)</sup>	12 <sup>(2)</sup>	15/15

Table 35: 03-D, running time excess  $ERT/ERT_{\text{best } 2009}$  on  $f_{104}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f104</b>	30	207	602	648	658	668	15/15
IPOPsaACM	3.0(2)	<b>1.4</b> (0.4)	<b>0.83</b> (1)	<b>0.91</b> (1)*	<b>0.95</b> (1)* <sup>2</sup>	<b>0.98</b> (1)* <sup>2</sup>	15/15
SNES	<b>1.8</b> (0.9)	1.9(4)	<b>28</b> (26)	125(120)	$\infty$	<i><math>\infty</math></i> <i>3e4</i>	0/15
xNES	2.4(1)	1.7(2)	2.3(4)	3.3(4)	3.4(4)	3.6(4)	15/15
xNESas	2.7(1)	4.0(0.5)	4.9(8)	10(16)	10(16)	10(15)	15/15

Table 36: 03-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{105}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f105</b>	28	507	1070	3247	3271	3297	5/15
IPOPsaACM	3.4(2)	0.97(2)	<b>1.3</b> (2)	<b>0.47</b> (0.5)	<b>0.48</b> (0.5)	<b>0.48</b> (0.5)	15/15
SNES	<b>2.4</b> (2)	<b>0.92</b> (0.9)	16(15)	45(46)	135(143)	<i><math>\infty</math></i> <i>3e4</i>	0/15
xNES	2.4(0.9)	2.8(8)	3.9(8)	3.0(3)	3.0(3)	3.1(3)	15/15
xNESas	17(2)	6.0(15)	9.3(11)	6.0(10)	6.7(10)	6.6(10)	15/15

Table 37: 03-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{106}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f106</b>	29	68	156	759	1294	1447	15/15
IPOPsaACM	2.5(1)	<b>2.7</b> (2)	<b>1.8</b> (0.9)*	<b>0.48</b> (0.2)* <sup>2</sup>	<b>0.36</b> (0.1)* <sub>↓4</sub> <sup>2</sup>	<b>0.36</b> (0.1)* <sub>↓4</sub> <sup>3</sup>	15/15
SNES	2.6(2)	5.7(9)	77(86)	$\infty$	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	<b>2.3</b> (1)	3.9(2)	10(20)	2.6(4)	1.8(2)	1.7(2)	15/15
xNESas	2.7(2)	16(3)	9.3(4)	3.3(6)	2.1(4)	2.0(3)	15/15

Table 38: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{107}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f107</b>	5.9	47	153	325	505	685	15/15
IPOPsaACM	<b>4.0</b> (3)	<b>1.4</b> (1)	<b>0.96</b> (0.5)	<b>1.3</b> (0.7)	<b>1.3</b> (0.6)	1.3(0.4)	15/15
SNES	15(23)	3.3(5)	1.5(2)	1.5(0.7)	1.4(0.4)	<b>1.3</b> (0.4)	15/15
xNES	64(26)	17(32)	5.6(10)	3.9(5)	3.0(3)	2.5(2)	15/15
xNESas	107(24)	14(3)	5.0(1)	3.0(1.0)	2.4(0.5)	2.9(6)	15/15

Table 39: 03-D, running time excess  $ERT/ERT_{\text{best } 2009}$  on  $f_{108}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f108</b>	5.8	98	1966	10825	17187	32181	15/15
IPOPsaACM	<b>11</b> <sub>(15)</sub>	7.2 <sub>(11)</sub>	1.1 <sub>(1)</sub>	<b>0.83</b> <sub>(0.5)</sub> <sup>*4</sup>	<b>1.1</b> <sub>(0.8)</sub> <sup>*4</sup>	<b>0.93</b> <sub>(0.4)</sub> <sup>*4</sup>	15/15
SNES	26 <sub>(40)</sub>	<b>6.0</b> <sub>(8)</sub>	<b>0.69</b> <sub>(0.5)</sub>	$\infty$	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	62 <sub>(34)</sub>	36 <sub>(54)</sub>	12 <sub>(19)</sub>	150 <sub>(165)</sub>	$\infty$	$\infty$ <i>2e5</i>	0/15
xNESas	213 <sub>(641)</sub>	56 <sub>(101)</sub>	10 <sub>(11)</sub>	80 <sub>(85)</sub>	$\infty$	$\infty$ <i>4e5</i>	0/15



Table 40: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{109}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f109</b>	3.6	21	93	193	251	251	15/15
IPOPsaACM	<b>3.2</b> (3)	<b>1.7</b> (1)	0.85(0.2)	2.1(2)	3.2(2)	<b>4.5</b> (3)	15/15
SNES	3.9(5)	1.8(1)	<b>0.73</b> (0.4)	1.8(1)	9.1(11)	502(593)	0/15
xNES	3.6(5)	1.9(1)	1.00(0.6)	<b>1.7</b> (0.8)	3.0(2)	5.7(2)	15/15
xNESas	3.8(4)	1.8(2)	0.86(0.5)	1.8(0.7)	<b>2.6</b> (0.8)	6.6(5)	15/15

Table 41: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{110}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f110</b>	56	922	6277	35327	61979	63571	15/15
IPOPsaACM	1.6(1)	2.7(4)	3.0(4)	<b>0.97</b> (1.0)	<b>0.57</b> (0.6)	<b>0.57</b> (0.6)	15/15
SNES	2.7(3)	<b>0.82</b> (1)	2.8(2)	1.8(2)	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	2.9(3)	4.5(6)	<b>2.1</b> (3)	1.1(1)	0.74(0.9)	0.72(0.8)	15/15
xNESas	<b>1.5</b> (1.0)	2.5(4)	4.5(3)	1.8(2)	1.1(0.9)	1.3(1.0)	15/15

Table 42: 03-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{111}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f111</b>	174	3475	29972	1.9e5	1.4e6	1.5e6	14/15
IPOPsaACM	3.8(6)	1.2(2)	9.1(18)	<b>4.9</b> (4)	<b>0.70</b> (0.6)	<b>0.71</b> (0.6)	15/15
SNES	<b>2.1</b> (2)	<b>0.94</b> (0.4)	7.1(8)	$\infty$	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	12(16)	4.7(6)	3.1(3)	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15
xNESas	12(20)	3.5(4)	<b>1.3</b> (2)	16(17)	$\infty$	$\infty$ <i>4e5</i>	0/15

Table 43: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{112}$ , in *italics* is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f112</b>	29	338	1568	2849	3105	3534	15/15
IPOPsaACM	3.3(2)	1.7(2)	<b>0.87</b> (0.9)	<b>0.78</b> (0.4)	<b>0.83</b> (0.4)	<b>0.82</b> (0.4)	15/15
SNES	2.8(2)	1.8(2)	9.0(10)	$\infty$	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	<b>2.5</b> (2)	<b>1.0</b> (0.7)	1.4(2)	2.7(3)	4.0(5)	4.1(4)	15/15
xNESas	2.8(3)	8.0(13)	5.6(7)	5.3(6)	5.2(6)	7.2(8)	15/15

Table 44: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{113}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f113</b>	26	126	1948	3236	3236	3428	12/15
IPOPsaACM	4.2(6)	4.4(7)	0.75(1)	<b>0.70</b> (0.9)	<b>0.70</b> (0.9)	<b>0.74</b> (0.8)	15/15
SNES	2.6(3)	<b>2.7</b> (3)	<b>0.69</b> (1)	0.92(0.9)	0.92(0.9)	1.1(1)	15/15
xNES	<b>1.5</b> (0.9)	5.4(13)	1.5(3)	1.5(2)	1.5(2)	1.5(2)	15/15
xNESas	8.8(8)	25(28)	4.8(6)	3.4(4)	3.4(4)	3.6(3)	15/15

Table 45: 03-D, running time excess  $ERT/ERT_{\text{best } 2009}$  on  $f_{114}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f114</b>	26	1015	6279	28324	28324	32580	15/15
IPOPsaACM	<b>10</b> (15)	<b>1.3</b> (2)	<b>0.96</b> (0.9)	<b>0.40</b> (0.3) <sup>*2</sup>	<b>0.40</b> (0.3) <sup>*2</sup>	<b>0.41</b> (0.3) <sup>*2</sup>	15/15
SNES	12(15)	1.4(2)	2.8(3)	16(16)	16(15)	$\infty$ <i>3e4</i>	0/15
xNES	30(89)	4.7(6)	6.3(8)	13(14)	13(14)	21(24)	3/15
xNESas	146(189)	11(17)	9.5(11)	24(20)	24(20)	45(49)	2/15

Table 46: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{115}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f115</b>	12	118	593	890	890	1246	15/15
IPOPsaACM	<b>2.8</b> (2)	<b>1.1</b> (0.5)	<b>1.2</b> (1.0)	<b>1.5</b> (2)	<b>1.5</b> (2)	<b>1.5</b> (2)	15/15
SNES	3.8(3)	1.9(2)	1.6(1)	10(17)	10(17)	11(14)	9/15
xNES	6.5(4)	6.9(13)	4.8(10)	4.6(9)	4.6(9)	3.4(7)	15/15
xNESas	4.9(5)	4.3(0.6)	3.8(5)	2.7(4)	2.7(4)	4.1(8)	15/15

Table 47: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{116}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f116</b>	169	2642	4419	7143	9614	11370	15/15
IPOPsaACM	3.9(7)	<b>0.77</b> (0.9)	<b>0.60</b> (0.6)	<b>0.50</b> (0.3)	<b>0.41</b> (0.3)	<b>0.37</b> (0.2)	15/15
SNES	<b>3.8</b> (4)	1.2(1)	3.8(4)	30(32)	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	9.5(15)	1.3(3)	1.1(2)	0.74(1)	0.60(0.9)	0.80(0.9)	15/15
xNESas	24(63)	4.7(7)	3.1(4)	1.9(2)	1.7(2)	1.5(2)	15/15



Table 48: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{117}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f117</b>	2392	14361	39508	61720	73678	80041	15/15
IPOPsaACM	2.5 <sub>(3)</sub>	<b>1.3</b> <sub>(1)</sub>	<b>0.71</b> <sub>(0.4)</sub>	<b>0.54</b> <sub>(0.2)</sub>	<b>0.57</b> <sub>(0.2)</sub>	<b>0.60</b> <sub>(0.2)</sub>	15/15
SNES	<b>1.5</b> <sub>(2)</sub>	1.8 <sub>(2)</sub>	11 <sub>(13)</sub>	$\infty$	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	3.9 <sub>(7)</sub>	2.3 <sub>(3)</sub>	3.1 <sub>(4)</sub>	57 <sub>(59)</sub>	$\infty$	$\infty$ <i>2e5</i>	0/15
xNESas	3.6 <sub>(5)</sub>	5.1 <sub>(7)</sub>	6.9 <sub>(7)</sub>	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15

Table 49: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{118}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f118</b>	109	205	712	1008	1283	1593	15/15
IPOPsaACM	<b>1.1</b> (0.4)	<b>0.75</b> (0.3)*	<b>0.35</b> (0.1) $\downarrow_3$	<b>0.52</b> (0.2) $\downarrow_3$	<b>0.70</b> (0.4) $\downarrow$	<b>0.76</b> (0.3)	15/15
SNES	3.9(4)	15(16)	20(16)	$\infty$	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	1.5(1)	2.0(1)	0.79(0.6)	1.3(2)	1.6(2)	1.5(2)	15/15
xNESas	1.6(0.6)	1.3(0.8)	0.53(0.2) $\downarrow_2$	0.60(0.2) $\downarrow_2$	1.1(0.2)	1.1(0.2)	15/15

Table 50: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{119}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f119</b>	2.2	66	421	2005	12038	15719	15/15
IPOPsaACM	<b>2.8</b> (3)	<b>1.3</b> (2)	<b>0.45</b> (0.3)	<b>0.65</b> (0.5)	<b>0.55</b> (0.4)	<b>0.84</b> (0.7)	15/15
SNES	12(20)	2.6(3)	0.68(0.5)	0.67(0.6)	11(12)	<i><math>\infty</math></i> <i>3e4</i>	0/15
xNES	9.0(14)	18(58)	3.5(9)	2.0(2)	0.65(1)	1.1(1.0)	15/15
xNESas	8.2(9)	7.4(4)	2.6(7)	2.6(3)	1.1(1)	1.3(2)	15/15

Table 51: 03-D, running time excess  $ERT/ERT_{\text{best } 2009}$  on  $f_{120}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f120</b>	2.2	81	1802	31935	1.2e5	2.7e5	15/15
IPOPsaACM	<b>20</b> (50)	9.0(18)	1.6(2)	<b>0.57</b> (0.2)*4	<b>0.40</b> (0.2)↓2	<b>0.51</b> (0.3)	15/15
SNES	23(67)	<b>6.9</b> (10)	<b>1.2</b> (2)	$\infty$	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	414(1025)	55(83)	12(14)	50(51)	$\infty$	$\infty$ <i>2e5</i>	0/15
xNESas	29(40)	57(53)	13(18)	105(106)	$\infty$	$\infty$ <i>5e5</i>	0/15

Table 52: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{121}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f121</b>	2.2	41	116	699	2297	3321	15/15
IPOPsaACM	3.6(5)	<b>1.0</b> (1.0)	1.5(0.6)	1.1(1)	0.96(0.3)	1.1(0.8)	15/15
SNES	<b>2.9</b> (4)	1.4(1)	1.1(0.4)	<b>2.7</b> (3)	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	7.7(11)	1.4(1.0)	<b>1.0</b> (0.5)	0.89(0.6)	<b>0.65</b> (0.4)	<b>0.86</b> (0.6)	15/15
xNESas	4.8(7)	1.7(3)	1.3(1)	<b>0.83</b> (0.3)	0.82(0.5)	1.0(1.0)	15/15

Table 53: 03-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best } 2009}$  on  $f_{122}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f122</b>	5.8	357	1802	7595	12242	19009	15/15
IPOPsaACM	3.1(2)	1.4(2)	1.3(2)	<b>0.90</b> (0.5)	<b>1.1</b> (1) <sup>*2</sup>	<b>1.1</b> (0.7) <sup>*3</sup>	15/15
SNES	6.3(7)	<b>0.86</b> (1)	<b>0.63</b> (0.6)	9.3(11)	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	<b>2.3</b> (2)	1.8(4)	3.9(5)	3.9(5)	17(19)	$\infty$ <i>3e5</i>	0/15
xNESas	4.9(6)	13(24)	11(20)	8.0(8)	52(55)	$\infty$ <i>5e5</i>	0/15

Table 54: 03-D, running time excess  $ERT/ERT_{\text{best } 2009}$  on  $f_{123}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f123</b>	4.9	1546	21830	93159	1.9e5	4.4e5	15/15
IPOPsaACM	23(21)	1.9(2)	<b>0.80</b> (0.6) <sup>*3</sup>	<b>0.69</b> (0.2)	<b>0.78</b> (0.4)	<b>0.99</b> (0.7)	15/15
SNES	5.4(8)	<b>0.96</b> (0.8)	$\infty$	$\infty$	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	<b>5.1</b> (6)	4.9(6)	70(82)	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15
xNESas	24(66)	11(11)	38(44)	$\infty$	$\infty$	$\infty$ <i>5e5</i>	0/15

Table 55: 03-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{124}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f124</b>	3.6	196	926	7091	12902	14882	14/15
IPOP <sub>sa</sub> ACM	<b>2.2</b> <sup>(3)</sup>	0.71 <sup>(0.6)</sup>	0.90 <sup>(1)</sup>	<b>0.69</b> <sup>(0.5)</sup>	<b>1.1</b> <sup>(0.5)</sup> * <sup>3</sup>	<b>1.3</b> <sup>(0.6)</sup> * <sup>3</sup>	15/15
SNES	5.6 <sup>(7)</sup>	<b>0.65</b> <sup>(0.7)</sup>	<b>0.59</b> <sup>(0.7)</sup>	$\infty$	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	5.6 <sup>(5)</sup>	2.1 <sup>(0.5)</sup>	<b>0.70</b> <sup>(0.3)</sup>	1.7 <sup>(2)</sup>	6.5 <sup>(6)</sup>	105 <sup>(115)</sup>	0/15



Table 56: 03-D, running time excess  $ERT/ERT_{\text{best}} 2009$  on  $f_{125}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f125</b>	1	1	1	24677	36351	38000	15/15
IPOPsaACM	<b>1</b> (0)	10(16)	343(650)	<b>0.91</b> (0.8)	<b>0.94</b> (0.8)	<b>1.0</b> (0.7)	15/15
SNES	1.1(0.5)	14(27)	260(286)	8.2(10)	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	1.1(0.5)	<b>9.3</b> (14)	189(266)	3.2(3)	8.4(10)	20(22)	3/15
xNESas	1.1(0.5)	15(10)	<b>131</b> (95)	5.5(6)	15(13)	29(30)	3/15

Table 57: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{126}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f126</b>	1	1	1	1.1e5	6.3e5	9.6e5	15/15
IPOPsaACM	<b>1</b> (0)	12(24)	737(972)	<b>0.85</b> (1)	<b>0.84</b> (1)	<b>0.90</b> (1)	15/15
SNES	1.2(0.5)	39(48)	<b>399</b> (496)	$\infty$	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	1.3(0.5)	<b>7.3</b> (10)	1716(3734)	14(16)	$\infty$	$\infty$ <i>2e5</i>	0/15
xNESas	1.3(0.5)	62(138)	2313(3108)	6.5(7)	$\infty$	$\infty$ <i>4e5</i>	0/15

Table 58: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{127}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f127</b>	1	1	1	39085	45347	45996	8/15
IPOPsaACM	<b>1</b> (0)	10(9)	144(99)	<b>0.48</b> (0.6)	<b>0.77</b> (0.9)	<b>0.95</b> (1)	15/15
SNES	1.6(0)	11(12)	<b>112</b> (106)	1.9(2)	$\infty$	$\infty$ <i>3e4</i>	0/15
xNES	1.2(0.5)	<b>6.2</b> (6)	139(74)	1.6(2)	12(14)	22(24)	2/15
xNESas	1.3(0.5)	12(12)	244(376)	1.9(2)	5.6(7)	13(13)	8/15

Table 59: 03-D, running time excess  $ERT/ERT_{\text{best}} 2009$  on  $f_{128}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f128</b>	5.5	426	1125	1917	2715	4340	15/15
IPOPsaACM	2.6(3)	4.6(6)	18(32)	19(31)	198(553)	124(346)	13/15
SNES	2.6(3)	<b>2.7</b> (3)	<b>2.2</b> (3)	<b>1.3</b> (1)	<b>1.00</b> (1)	<b>0.68</b> (0.7)	15/15
xNES	42(16)	11(21)	9.1(10)	5.4(6)	3.8(4)	2.4(3)	15/15
xNESas	<b>1.5</b> (2)	30(21)	20(47)	12(27)	8.6(19)	5.4(12)	15/15

Table 60: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{129}$ , in *italics* is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f129</b>	4.8	362	3392	11584	28362	38534	15/15
IPOPsaACM	3.2(2)	10(6)	2.7(5)	4.6(3)	10(6)	<b>7.4(5)</b>	14/15
SNES	<b>1.8(2)</b>	<b>3.7(4)</b>	<b>0.69(0.7)</b>	<b>3.0(3)</b>	<b>4.7(5)</b>	11(12)	1/15
xNES	3.0(3)	6.5(9)	5.6(8)	6.3(7)	16(19)	21(20)	2/15
xNESas	3.5(7)	23(42)	6.5(9)	13(18)	27(32)	167(187)	0/15

Table 61: 03-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{130}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f130</b>	5.5	245	515	1502	11944	14346	12/15
IPOPsaACM	2.2(2)	12(20)	15(18)	27(8)	13(3)	16(5)	14/15
SNES	3.1(4)	<b>3.7(5)</b>	<b>2.6(2)</b>	<b>0.98(0.7)</b>	<b>0.17(0.1)</b> ↓	<b>0.34(0.4)</b>	12/15
xNES	2.2(2)	46(70)	42(58)	15(20)	2.0(3)	1.9(2)	15/15
xNESas	<b>1.5(0.8)</b>	11(22)	48(98)	17(33)	2.2(4)	2.0(4)	15/15

Table 62: 05-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{101}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f101</b>	11	37	44	62	69	75	15/15
IPOPsaACM	<b>1.9</b> (1)	<b>2.1</b> (0.5)	<b>2.2</b> (0.5) <sup>*3</sup>	<b>2.2</b> (0.5) <sup>*4</sup>	<b>2.5</b> (0.3) <sup>*4</sup>	<b>2.8</b> (0.3) <sup>*4</sup>	15/15
SNES	3.8(2)	2.5(0.9)	4.3(0.8)	6.1(0.7)	8.8(1.0)	11(1)	15/15
xNES	3.4(1)	2.4(1)	5.4(0.9)	10(1)	14(1)	18(0.6)	15/15
xNESas	2.8(2)	2.4(1)	5.2(2)	7.9(2)	10(2)	13(3)	15/15

Table 63: 05-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{102}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f102</b>	11	35	50	72	86	99	15/15
IPOPsaACM	<b>2.6</b> (2)	<b>2.1</b> (0.7)	<b>2.0</b> (0.5) <sup>*3</sup>	<b>1.9</b> (0.4) <sup>*4</sup>	<b>2.1</b> (0.3) <sup>*4</sup>	<b>2.2</b> (0.3) <sup>*4</sup>	15/15
SNES	3.5(2)	2.3(1)	3.7(1)	5.4(0.7)	7.3(0.7)	8.6(0.4)	15/15
xNES	3.1(4)	2.8(1)	4.9(1)	8.8(1)	12(1)	14(1)	15/15
xNESas	3.3(3)	2.7(2)	4.7(1)	7.3(1)	9.2(1)	10(2)	15/15



Table 64: 05-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best } 2009}$  on  $f_{103}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f103</b>	11	28	30	31	35	115	15/15
IPOPsaACM	3.0(1)	2.8(0.7)	<b>3.4</b> (0.9) <sup>*2</sup>	<b>4.6</b> (1) <sup>*4</sup>	<b>7.1</b> (3) <sup>*4</sup>	<b>3.2</b> (1) <sup>*4</sup>	15/15
SNES	2.7(2)	<b>2.7</b> (1)	5.5(1)	13(2)	26(15)	21(11)	15/15
xNES	3.7(2)	3.6(1)	8.2(2)	20(3)	31(3)	13(1)	15/15
xNESas	<b>2.7</b> (2)	2.9(2)	7.2(2)	16(3)	24(5)	11(2)	15/15

Table 65: 05-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{104}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f104</b>	173	773	1287	1768	2040	2284	15/15
IPOPsaACM	<b>0.88</b> <sub>(0.3)</sub>	<b>1.5</b> <sub>(1)</sub>	<b>1.1</b> <sub>(1)</sub>	<b>0.89</b> <sub>(0.8)</sub>	<b>0.80</b> <sub>(0.7)</sub> *	<b>0.73</b> <sub>(0.7)</sub> *	15/15
SNES	1.5 <sub>(0.6)</sub>	21 <sub>(26)</sub>	44 <sub>(42)</sub>	$\infty$	$\infty$	$\infty$	0/15
xNES	1.4 <sub>(0.7)</sub>	2.4 <sub>(0.9)</sub>	5.6 <sub>(10)</sub>	7.3 <sub>(11)</sub>	6.4 <sub>(10)</sub>	5.9 <sub>(9)</sub>	15/15
xNESas	1.4 <sub>(0.4)</sub>	2.4 <sub>(0.6)</sub>	2.7 <sub>(6)</sub>	2.3 <sub>(4)</sub>	2.1 <sub>(4)</sub>	2.0 <sub>(3)</sub>	15/15

Table 66: 05-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{105}$ , in *italics* is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f105</b>	167	1436	5174	10388	10824	11202	15/15
IPOPsaACM	1.4 <sup>(0.5)</sup>	<b>1.5</b> <sup>(2)</sup>	<b>0.63</b> <sup>(0.4)</sup>	<b>0.33</b> <sup>(0.2)</sup> ↓ <sub>3</sub>	<b>0.32</b> <sup>(0.2)</sup> ↓ <sub>3</sub>	<b>0.32</b> <sup>(0.2)</sup> ↓ <sub>3</sub>	15/15
SNES	1.7 <sup>(0.4)</sup>	17 <sup>(21)</sup>	12 <sup>(12)</sup>	35 <sup>(36)</sup>	$\infty$	$\infty$ <i>5e4</i>	0/15
xNES	<b>1.3</b> <sup>(0.5)</sup>	3.6 <sup>(6)</sup>	4.9 <sup>(7)</sup>	3.6 <sup>(5)</sup>	4.0 <sup>(5)</sup>	4.0 <sup>(5)</sup>	15/15
xNESas	1.4 <sup>(0.5)</sup>	4.0 <sup>(4)</sup>	14 <sup>(13)</sup>	11 <sup>(7)</sup>	11 <sup>(7)</sup>	10 <sup>(7)</sup>	15/15

Table 67: 05-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best } 2009}$  on  $f_{106}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f106</b>	92	529	1050	2666	2887	3087	15/15
IPOPsaACM	<b>1.7</b> (0.9)	<b>0.89</b> (0.2) <sup>*2</sup>	<b>0.60</b> (0.2) <sup>*3</sup>	<b>0.30</b> (0.1) <sub>↓4</sub> <sup>*3</sup>	<b>0.32</b> (0.1) <sub>↓4</sub> <sup>*3</sup>	<b>0.36</b> (0.1) <sub>↓4</sub> <sup>*3</sup>	15/15
SNES	3.9(1)	26(32)	209(239)	276(296)	$\infty$	$\infty$ <i>5e4</i>	0/15
xNES	2.9(1.0)	2.0(0.8)	2.2(0.8)	1.2(0.9)	1.2(0.9)	1.3(1)	15/15
xNESas	2.7(0.8)	3.3(0.9)	3.7(5)	2.2(3)	2.2(3)	2.7(3)	15/15

Table 68: 05-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{107}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f107</b>	40	228	453	940	1376	1850	15/15
IPOPsaACM	<b>1.4</b> (2)	<b>1.1</b> (0.7)	1.4(1)	<b>1.3</b> (0.8)	<b>1.4</b> (1.0)	1.9(1)	15/15
SNES	4.2(6)	2.0(1)	<b>1.4</b> (0.8)	1.3(0.9)	1.4(0.7)	<b>1.3</b> (0.5)	15/15
xNES	3.2(3)	31(66)	20(33)	10(16)	7.6(11)	45(8)	14/15
xNESas	3.2(5)	7.1(1)	4.2(0.5)	6.9(11)	7.2(8)	7.0(10)	15/15

Table 69: 05-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{108}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f108</b>	87	5144	14469	30935	58628	80667	15/15
IPOPsaACM	<b>7.8</b> <sup>(9)</sup>	<b>1.1</b> <sup>(1)</sup>	<b>0.60</b> <sup>(0.4)</sup> * <sup>2</sup>	<b>0.80</b> <sup>(0.5)</sup> * <sup>4</sup>	<b>0.74</b> <sup>(0.4)</sup> * <sup>4</sup>	<b>1.0</b> <sup>(0.6)</sup>	15/15
SNES	15 <sup>(20)</sup>	1.5 <sup>(3)</sup>	8.4 <sup>(10)</sup>	$\infty$	$\infty$	$\infty$ <i>5e4</i>	0/15
xNES	84 <sup>(117)</sup>	18 <sup>(22)</sup>	36 <sup>(28)</sup>	$\infty$	$\infty$	$\infty$ <i>7e5</i>	0/15
xNESas	69 <sup>(120)</sup>	12 <sup>(17)</sup>	56 <sup>(59)</sup>	$\infty$	$\infty$	$\infty$ <i>1e6</i>	0/15

Table 70: 05-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{109}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f109</b>	11	57	216	572	873	946	15/15
IPOPsaACM	<b>2.9</b> (2)	<b>1.6</b> (0.6)	<b>0.83</b> (0.3)	<b>1.2</b> (0.3)	<b>1.2</b> (0.3) <sup>*2</sup>	<b>1.6</b> (0.4) <sup>*3</sup>	15/15
SNES	4.4(2)	1.9(0.7)	0.93(0.3)	1.8(1)	13(21)	371(385)	0/15
xNES	3.4(2)	2.0(0.8)	1.4(0.3)	2.0(0.5)	2.3(0.2)	4.1(0.7)	15/15
xNESas	3.6(2)	1.7(0.7)	1.3(0.5)	1.8(0.5)	2.3(0.6)	4.1(0.8)	15/15

Table 71: 05-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{110}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f110</b>	949	33625	1.2e5	5.9e5	6.0e5	6.1e5	15/15
IPOPsaACM	0.71(0.3)	5.6(7)	3.5(4)	<b>0.78</b> (0.8)	<b>0.84</b> (0.8)	<b>0.84</b> (0.8)	15/15
SNES	0.76(1)	<b>0.33</b> (0.2) <sub>↓</sub>	<b>0.65</b> (0.7)	$\infty$	$\infty$	$\infty$ <i>5e4</i>	0/15
xNES	0.49(0.2)	1.3(2)	2.1(3)	1.7(2)	2.2(2)	2.2(2)	7/15
xNESas	<b>0.44</b> (0.2)	1.9(2)	3.6(5)	1.2(1)	1.6(2)	2.3(3)	8/15



Table 72: 05-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{111}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f111</b>	6856	6.1e5	8.8e6	2.3e7	3.1e7	3.1e7	3/15
IPOPsaACM	<b>0.50</b> (0.3)	7.4(8)	1.8(2)	<b>1.00</b> (1.0)	<b>0.74</b> (0.8)	<b>0.74</b> (0.8)	3/15
SNES	1.9(2)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>5e4</i>	0/15
xNES	7.2(9)	4.1(5)	<b>0.61</b> (0.7)	$\infty$	$\infty$	$\infty$ <i>8e5</i>	0/15
xNESas	5.4(8)	<b>1.8</b> (2)	0.96(1)	$\infty$	$\infty$	$\infty$ <i>1e6</i>	0/15

Table 73: 05-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{112}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f112</b>	107	1684	3421	4502	5132	5596	15/15
IPOPsaACM	<b>1.4</b> <sub>(0.6)</sub> *	<b>1.5</b> <sub>(2)</sub>	<b>1.2</b> <sub>(0.9)</sub>	<b>1.2</b> <sub>(0.6)</sub>	<b>1.2</b> <sub>(0.6)</sub>	<b>1.2</b> <sub>(0.6)</sub>	15/15
SNES	1.9 <sub>(0.4)</sub>	16 <sub>(19)</sub>	19 <sub>(20)</sub>	$\infty$	$\infty$	$\infty$ <i>5e4</i>	0/15
xNES	4.6 <sub>(1)</sub>	3.0 <sub>(5)</sub>	3.0 <sub>(3)</sub>	6.5 <sub>(8)</sub>	12 <sub>(15)</sub>	18 <sub>(28)</sub>	15/15
xNESas	2.3 <sub>(1)</sub>	2.6 <sub>(5)</sub>	7.9 <sub>(10)</sub>	17 <sub>(18)</sub>	28 <sub>(23)</sub>	37 <sub>(38)</sub>	15/15

Table 74: 05-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{113}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f113</b>	133	1883	8081	24128	24128	24402	15/15
IPOPsaACM	3.0(2)	0.82(0.8)	<b>0.47</b> (0.6)	<b>0.35</b> (0.4)	<b>0.35</b> (0.4)	<b>0.35</b> (0.4)	15/15
SNES	1.8(2)	<b>0.78</b> (0.9)	2.1(3)	3.1(3)	3.1(3)	4.1(4)	5/15
xNES	10(6)	3.3(8)	2.1(3)	1.2(2)	1.2(2)	1.2(2)	15/15
xNESas	<b>1.2</b> (1)	2.4(4)	2.5(4)	1.4(2)	1.4(2)	1.5(2)	15/15

Table 75: 05-D, running time excess  $ERT/ERT_{\text{best } 2009}$  on  $f_{114}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f114</b>	767	14720	56311	83272	83272	84949	15/15
IPOPsaACM	2.6(3)	<b>0.73</b> (0.4)	<b>0.54</b> (0.4) <sup>*3</sup>	<b>0.44</b> (0.2) <sup>*2</sup>	<b>0.44</b> (0.2) <sup>*2</sup>	<b>0.44</b> (0.3) <sup>*2</sup>	15/15
SNES	<b>2.6</b> (3)	2.4(3)	$\infty$	$\infty$	$\infty$	$\infty$ <i>5e4</i>	0/15
xNES	10(17)	10(10)	33(37)	$\infty$	$\infty$	$\infty$ <i>8e5</i>	0/15
xNESas	8.0(13)	9.1(13)	157(166)	$\infty$	$\infty$	$\infty$ <i>1e6</i>	0/15

Table 76: 05-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{115}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f115</b>	64	485	1829	2550	2550	2970	15/15
IPOPsaACM	1.6(0.6)	0.98(1)	<b>1.2(1)</b>	<b>1.2(0.8)</b>	<b>1.2(0.8)</b>	<b>1.1(0.7)</b>	15/15
SNES	1.6(0.8)	1.8(2)	4.4(4)	40(43)	40(47)	45(43)	4/15
xNES	1.7(1)	1.9(0.3)	2.3(5)	2.5(5)	2.5(5)	2.6(4)	15/15
xNESas	<b>1.3(0.9)</b>	<b>0.88(0.4)</b>	1.8(4)	1.8(4)	1.8(4)	1.6(3)	15/15

Table 77: 05-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{116}$ , in *italics* is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f116</b>	5730	14472	22311	26868	30329	31661	15/15
IPOPsaACM	1.0(1)	<b>0.74</b> (0.8)	<b>0.56</b> (0.5)	<b>0.59</b> (0.5)	<b>0.56</b> (0.4)↓	<b>0.56</b> (0.4)↓	15/15
SNES	1.6(1)	5.9(6)	∞	∞	∞	∞ <i>5e4</i>	0/15
xNES	<b>0.62</b> (1)	0.78(1)	1.3(2)	1.2(1)	1.2(1)	1.2(1)	14/15
xNESas	1.4(2)	1.2(2)	1.1(2)	1.3(1)	1.6(2)	1.8(2)	15/15

Table 78: 05-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{117}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f117</b>	26686	76052	1.1e5	1.4e5	1.7e5	1.9e5	15/15
IPOPsaACM	<b>0.60</b> <sub>(0.5)</sub> <sup>*2</sup>	<b>0.43</b> <sub>(0.3)</sub> <sup>*2</sup>	<b>0.42</b> <sub>(0.3)</sub> <sup>*2</sup> <sub>↓2</sub>	<b>0.54</b> <sub>(0.3)</sub> ↓	<b>0.59</b> <sub>(0.3)</sub>	<b>0.60</b> <sub>(0.2)</sub>	15/15
SNES	6.3 <sub>(6)</sub>	∞	∞	∞	∞	∞ <i>5e4</i>	0/15
xNES	9.4 <sub>(13)</sub>	47 <sub>(49)</sub>	∞	∞	∞	∞ <i>8e5</i>	0/15
xNESas	8.4 <sub>(6)</sub>	39 <sub>(47)</sub>	∞	∞	∞	∞ <i>1e6</i>	0/15

Table 79: 05-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{118}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f118</b>	429	1217	1555	1998	2430	2913	15/15
IPOPsaACM	<b>0.49</b> <sub>(0.1)</sub> <sup>*</sup> <sub>↓4</sub> <sup>3</sup>	<b>0.25</b> <sub>(0.1)</sub> <sup>*</sup> <sub>↓4</sub> <sup>3</sup>	<b>0.33</b> <sub>(0.1)</sub> <sup>*</sup> <sub>↓4</sub> <sup>2</sup>	<b>0.48</b> <sub>(0.1)</sub> <sup>*</sup> <sub>↓4</sub> <sup>2</sup>	<b>0.63</b> <sub>(0.1)</sub> <sup>*</sup> <sub>↓3</sub> <sup>2</sup>	<b>0.74</b> <sub>(0.3)</sub> <sup>*</sup> <sub>↓2</sub>	15/15
SNES	11 <sub>(9)</sub>	33 <sub>(36)</sub>	$\infty$	$\infty$	$\infty$	$\infty$ <i>5e4</i>	0/15
xNES	1.0 <sub>(0.4)</sub>	0.50 <sub>(0.1)</sub> <sub>↓4</sub>	0.52 <sub>(0.1)</sub> <sub>↓4</sub>	0.73 <sub>(0.1)</sub> <sub>↓2</sub>	1.0 <sub>(0.2)</sub>	1.6 <sub>(0.2)</sub>	15/15
xNESas	1.00 <sub>(0.4)</sub>	0.48 <sub>(0.1)</sub> <sub>↓4</sub>	0.48 <sub>(0.1)</sub> <sub>↓4</sub>	0.69 <sub>(0.2)</sub> <sub>↓2</sub>	0.96 <sub>(0.2)</sub>	1.1 <sub>(0.2)</sub>	15/15



Table 80: 05-D, running time excess  $ERT/ERT_{\text{best } 2009}$  on  $f_{119}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f119</b>	12	657	1136	10372	35296	49747	15/15
IPOPsaACM	4.9(10)	1.1(2)	0.99(0.9)	<b>0.50</b> (0.5)	<b>0.47</b> (0.2) <sub>↓2</sub>	<b>0.61</b> (0.5) <sup>*2</sup>	15/15
SNES	3.9(6)	0.64(0.9)	<b>0.64</b> (0.5)	0.84(0.9)	$\infty$	<i><math>\infty</math> 5e4</i>	0/15
xNES	<b>1.9</b> (2)	<b>0.38</b> (0.4)	0.66(0.2)	2.6(3)	1.5(1)	12(13)	9/15
xNESas	3.8(4)	2.1(1)	6.3(13)	1.6(2)	2.3(3)	5.9(6)	15/15

Table 81: 05-D, running time excess  $ERT/ERT_{\text{best } 2009}$  on  $f_{120}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f120</b>	16	2900	18698	72438	3.3e5	5.5e5	15/15
IPOPsaACM	26 <sup>(56)</sup>	1.1 <sup>(1)</sup>	<b>0.80</b> <sup>(0.5)</sup> *	<b>0.52</b> <sup>(0.3)</sup> * <sup>4</sup>	<b>0.36</b> <sup>(0.3)</sup> ↓ <sub>3</sub>	<b>0.64</b> <sup>(0.5)</sup>	15/15
SNES	12 <sup>(32)</sup>	<b>0.72</b> <sup>(0.9)</sup>	38 <sup>(42)</sup>	∞	∞	∞ <i>5e4</i>	0/15
xNES	<b>9.0</b> <sup>(12)</sup>	14 <sup>(17)</sup>	43 <sup>(42)</sup>	∞	∞	∞ <i>8e5</i>	0/15
xNESas	51 <sup>(18)</sup>	13 <sup>(21)</sup>	25 <sup>(34)</sup>	∞	∞	∞ <i>1e6</i>	0/15

Table 82: 05-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{121}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f121</b>	8.6	111	273	1583	3870	6195	15/15
IPOPsaACM	3.3(4)	0.98(0.5)	0.97(0.5)	<b>1.0</b> (0.6)	<b>0.95</b> (0.4)	<b>0.86</b> (0.2)	15/15
SNES	<b>2.6</b> (3)	1.1(0.8)	<b>0.77</b> (0.4)	11(14)	$\infty$	$\infty$ <i>5e4</i>	0/15
xNES	2.7(3)	0.96(0.5)	1.2(0.2)	1.3(0.5)	1.2(1)	1.7(2)	15/15
xNESas	2.6(2)	<b>0.85</b> (0.6)	0.96(0.5)	1.6(0.8)	1.5(2)	2.3(3)	15/15

Table 83: 05-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{122}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f122</b>	10	1727	9190	30087	53743	1.1e5	15/15
IPOPsaACM	2.6(3)	1.2(0.8)	<b>0.75</b> (0.5)	<b>0.58</b> (0.2) <sub>↓</sub> <sup>*4</sup>	<b>0.77</b> (0.3) <sup>*4</sup>	<b>0.66</b> (0.3) <sub>↓</sub>	15/15
SNES	7.8(10)	<b>0.65</b> (0.6)	2.3(3)	∞	∞	∞ <i>5e4</i>	0/15
xNES	<b>1.7</b> (2)	1.9(2)	6.4(4)	200(214)	∞	∞ <i>8e5</i>	0/15
xNESas	5.0(4)	5.5(11)	8.9(8)	583(644)	∞	∞ <i>1e6</i>	0/15

Table 84: 05-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best}}$  2009 on  $f_{123}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f123</b>	11	16066	81505	3.4e5	6.7e5	2.2e6	15/15
IPOPsaACM	23(52)	<b>0.74</b> (0.4)	<b>0.70</b> (0.5)	<b>0.58</b> (0.3)	<b>0.80</b> (0.7)	<b>0.71</b> (0.5)	15/15
SNES	12(16)	3.1(3)	$\infty$	$\infty$	$\infty$	$\infty$ <i>5e4</i>	0/15
xNES	36(70)	10(9)	$\infty$	$\infty$	$\infty$	$\infty$ <i>8e5</i>	0/15
xNESas	<b>6.6</b> (9)	7.2(7)	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e6</i>	0/15

Table 85: 05-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{124}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f124</b>	10	202	1040	20478	45337	95200	15/15
IPOPsaACM	2.6(2)	1.3(0.6)	3.1(4)	<b>0.85</b> (0.7)	<b>0.97</b> (0.8) <sup>*3</sup>	<b>4.1</b> (8)	15/15
SNES	2.9(4)	1.2(1.0)	<b>1.2</b> (0.9)	$\infty$	$\infty$	$\infty$ <i>5e4</i>	0/15
xNES	<b>2.5</b> (2)	1.4(0.4)	3.8(10)	2.0(2)	19(21)	112(125)	1/15
xNESas	2.9(3)	<b>1.2</b> (0.5)	2.0(0.7)	1.1(1)	36(37)	60(67)	1/15

Table 86: 05-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{125}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f125</b>	1	1	1	2.4e5	2.4e5	2.5e5	15/15
IPOPsaACM	1.5(0)	<b>18</b> (18)	4308(4084)	<b>0.56</b> (0.6)	<b>0.79</b> (0.9)	<b>4.8</b> (6)	15/15
SNES	1.2(0.5)	33(34)	<b>3958</b> (3495)	$\infty$	$\infty$	$\infty$ <i>5e4</i>	0/15
xNES	<b>1.1</b> (0)	29(26)	9476(1e4)	$\infty$	$\infty$	$\infty$ <i>8e5</i>	0/15
xNESas	1.3(0.5)	23(22)	7786(7916)	$\infty$	$\infty$	$\infty$ <i>1e6</i>	0/15

Table 87: 05-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{126}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f126</b>	1	1	1	$\infty$	$\infty$	$\infty$	0
IPOPsaACM	<b>1</b> (0)	<b>165</b> (444)	<b>9361</b> (8720)	<b>1.3e7</b> (1e7)	<b>1.3e7</b> (1e7)	<b>1.3e7</b> (1e7)	5/15
SNES	1.4(1)	<b>32</b> (50)	5.2e4(5e4)	.	.	.	0/15
xNES	1.1(0)	88(191)	4.4e4(5e4)	.	.	.	0/15
xNESas	1.1(0.5)	44(88)	4.2e4(5e4)	.	.	.	0/15



Table 88: 05-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{127}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f127</b>	1	1	1	3.4e5	3.9e5	4.0e5	15/15
IPOPsaACM	<b>1</b> (0)	20(22)	<b>2432</b> (3044)	<b>0.30</b> (0.3)	<b>0.32</b> (0.3)↓	<b>0.33</b> (0.3)↓	15/15
SNES	1.1(0.5)	<b>19</b> (16)	3060(2752)	∞	∞	∞ <i>5e4</i>	0/15
xNES	1.1(0)	19(22)	3395(5420)	31(36)	∞	∞ <i>7e5</i>	0/15
xNESas	1.1(0.5)	20(16)	3858(5345)	∞	∞	∞ <i>1e6</i>	0/15

Table 89: 05-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{128}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f128</b>	111	4248	7808	12447	17217	21162	15/15
IPOPsaACM	<b>1.3</b> (1.0)	16(21)	265(321)	203(342)	147(247)	124(148)	11/15
SNES	1.6(2)	<b>1.1</b> (1)	<b>0.78</b> (0.8)	<b>0.51</b> (0.5)	<b>0.40</b> (0.3) <sub>↓2</sub>	<b>0.45</b> (0.4) <sub>↓2</sub>	15/15
xNES	7.1(2)	7.3(11)	5.2(6)	3.3(4)	2.4(3)	2.0(2)	15/15
xNESas	22(67)	6.2(9)	5.7(7)	3.6(4)	2.6(3)	2.1(2)	15/15

Table 90: 05-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{129}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f129</b>	64	10710	59443	2.8e5	5.1e5	5.8e5	15/15
IPOPsaACM	9.1(12)	10(21)	19(42)	13(18)	<b>7.1</b> (10)	<b>6.3</b> (9)	9/15
SNES	<b>7.6</b> (14)	<b>1.2</b> (1)	<b>1.8</b> (2)	$\infty$	$\infty$	$\infty$ <i>5e4</i>	0/15
xNES	38(34)	15(10)	10(8)	<b>11</b> (13)	$\infty$	$\infty$ <i>7e5</i>	0/15
xNESas	17(16)	11(11)	8.6(11)	14(16)	$\infty$	$\infty$ <i>1e6</i>	0/15

Table 91: 05-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{130}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f130</b>	55	812	3034	32823	33889	34528	10/15
IPOPsaACM	<b>1.4</b> (0.9)	27(27)	126(131)	42(76)	41(74)	40(72)	13/15
SNES	2.9(7)	<b>4.8</b> (5)	<b>1.6</b> (2)	<b>0.19</b> (0.2)	<b>0.44</b> (0.4)	2.7(2)	3/15
xNES	13(1)	67(84)	25(25)	2.4(2)	2.3(2)	<b>2.3</b> (2)	15/15
xNESas	17(0.9)	67(79)	28(48)	2.6(4)	2.5(4)	2.5(4)	15/15

Table 92: 10-D, running time excess  $ERT/ERT_{\text{best } 2009}$  on  $f_{101}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f101</b>	26	40	181	194	210	226	15/15
IPOPsaACM	3.7(2)	<b>4.1</b> (1) <sup>*2</sup>	<b>1.1</b> (0.3) <sup>*3</sup>	<b>1.4</b> (0.3) <sup>*4</sup>	<b>1.6</b> (0.4) <sup>*4</sup>	<b>1.8</b> (0.2) <sup>*4</sup>	15/15
SNES	3.6(2)	5.9(1)	2.4(0.4)	4.4(0.4)	6.2(0.5)	7.7(0.3)	15/15
xNES	3.6(0.7)	11(2)	6.6(1)	13(0.8)	19(0.7)	24(0.7)	15/15
xNESas	<b>3.4</b> (2)	10(2)	4.4(1)	7.4(2)	9.1(2)	10(2)	15/15

Table 93: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{102}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f102</b>	26	41	197	226	265	304	15/15
IPOPsaACM	4.7(2)	<b>4.9</b> (2)	<b>1.2</b> (0.3) <sup>*3</sup>	<b>1.4</b> (0.3) <sup>*4</sup>	<b>1.5</b> (0.3) <sup>*4</sup>	<b>1.5</b> (0.3) <sup>*4</sup>	15/15
SNES	3.9(2)	6.0(1.0)	2.3(0.3)	3.8(0.3)	4.9(0.4)	5.7(0.3)	15/15
xNES	<b>3.3</b> (1)	11(4)	5.9(0.7)	12(1.0)	15(0.8)	18(0.4)	15/15
xNESas	3.6(1)	10(2)	4.3(0.9)	7.1(2)	8.2(2)	8.5(2)	15/15

Table 94: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{103}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f103</b>	26	47	126	360	363	364	15/15
IPOPsaACM	4.4(2)	<b>3.7</b> (0.8) <sup>*2</sup>	<b>1.7</b> (0.3) <sup>*4</sup>	<b>0.95</b> (0.3) <sup>*4</sup>	<b>1.5</b> (0.3) <sup>*4</sup>	<b>2.2</b> (0.5) <sup>*4</sup>	15/15
SNES	4.1(0.9)	5.0(0.9)	3.6(0.2)	2.5(0.2)	5.1(2)	13(10)	15/15
xNES	<b>3.0</b> (0.9)	8.9(4)	9.3(0.7)	7.5(0.5)	12(0.4)	17(1.0)	15/15
xNESas	3.9(1)	9.1(2)	6.6(1)	4.2(1)	7.1(2)	11(2)	15/15

Table 95: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{104}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f104</b>	610	9987	16641	19364	20764	22011	15/15
IPOPsaACM	<b>0.58</b> <sub>(0.2)</sub> <sup>*3</sup> <sub>↓3</sub>	<b>1.2</b> <sub>(0.8)</sub>	<b>0.81</b> <sub>(0.4)</sub>	<b>0.71</b> <sub>(0.4)</sub>	<b>0.67</b> <sub>(0.4)</sub>	<b>0.63</b> <sub>(0.3)</sub>	15/15
SNES	1.9(2)	7.6(9)	11(12)	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNES	3.1(0.2)	4.7(6)	3.4(4)	3.4(3)	3.2(3)	3.1(3)	15/15
xNESas	2.4(0.5)	16(17)	15(19)	13(17)	12(15)	11(15)	15/15



Table 96: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{105}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f105</b>	950	21491	70146	74217	78195	79729	15/15
IPOPsaACM	<b>0.58</b> <sub>(0.1)</sub> <sup>*2</sup> <sub>↓3</sub>	<b>1.3</b> <sub>(0.6)</sub> <sup>*2</sup>	<b>0.40</b> <sub>(0.2)</sub> <sup>*2</sup> <sub>↓2</sub>	<b>0.39</b> <sub>(0.2)</sub> <sup>*2</sup> <sub>↓3</sub>	<b>0.37</b> <sub>(0.2)</sub> <sup>*2</sup> <sub>↓3</sub>	<b>0.37</b> <sub>(0.2)</sub> <sup>*2</sup> <sub>↓3</sub>	15/15
SNES	0.90 <sub>(0.2)</sub>	6.4(6)	21(24)	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNES	1.9(0.3)	35(35)	44(49)	69(59)	65(57)	64(55)	7/15
xNESas	1.4(0.2)	80(120)	84(105)	80(99)	75(94)	74(94)	8/15

Table 97: 10-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{106}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f106</b>	288	3425	7705	8501	8968	9372	15/15
IPOPsaACM	<b>1.1</b> <sub>(0.3)</sub> <sup>*4</sup>	<b>0.34</b> <sub>(0.1)</sub> <sup>*4</sup>	<b>0.20</b> <sub>(0.0)</sub> <sup>*4</sup> <sub>↓4</sub>	<b>0.25</b> <sub>(0.1)</sub> <sup>*4</sup> <sub>↓4</sub>	<b>0.28</b> <sub>(0.1)</sub> <sup>*4</sup> <sub>↓4</sub>	<b>0.30</b> <sub>(0.1)</sub> <sup>*4</sup> <sub>↓4</sub>	15/15
SNES	2.4 <sub>(0.3)</sub>	22 <sub>(26)</sub>	29 <sub>(28)</sub>	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNES	5.9 <sub>(0.4)</sub>	1.5 <sub>(0.3)</sub>	0.88 <sub>(0.2)</sub>	0.94 <sub>(0.2)</sub>	1.0 <sub>(0.2)</sub>	1.2 <sub>(0.2)</sub>	15/15
xNESas	5.0 <sub>(1)</sub>	1.6 <sub>(0.4)</sub>	0.97 <sub>(0.3)</sub>	1.1 <sub>(0.4)</sub>	1.1 <sub>(0.4)</sub>	1.2 <sub>(0.4)</sub>	15/15

Table 98: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{107}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f107</b>	945	2255	3871	7352	11340	14303	15/15
IPOPsaACM	0.97(1)	1.1(0.8)	1.2(0.8)	<b>1.1</b> (0.4)	<b>1.00</b> (0.2)	<b>0.92</b> (0.2)	15/15
SNES	1.2(1)	1.1(0.6)	<b>0.92</b> (0.6)	1.4(2)	1.3(1)	2.4(2)	13/15
xNES	<b>0.58</b> (0.4)	<b>0.86</b> (0.4)	6.0(6)	10(8)	27(28)	95(137)	5/15
xNESas	0.79(0.7)	1.1(0.7)	1.9(0.5)	13(17)	33(50)	38(39)	15/15

Table 99: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{108}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f108</b>	10015	31433	47589	1.1e5	1.8e5	3.1e5	15/15
IPOPsaACM	<b>0.90</b> (1)	<b>0.79</b> (0.4) <sup>*4</sup>	<b>1.1</b> (0.5) <sup>*4</sup>	<b>1.1</b> (0.6)	<b>1.2</b> (0.6)	<b>0.84</b> (0.3)	15/15
SNES	3.0(3)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNES	14(15)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e6</i>	0/15
xNESas	8.8(11)	2334(2545)	$\infty$	$\infty$	$\infty$	$\infty$ <i>5e6</i>	0/15

Table 100: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{109}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f109</b>	28	286	499	1159	1786	2415	15/15
IPOPsaACM	3.9(2)	<b>0.73</b> <sub>(0.2)↓2</sub>	<b>0.91</b> <sub>(0.3)</sub>	<b>1.0</b> <sub>(0.2)</sub> <sup>*2</sup>	<b>1.1</b> <sub>(0.3)</sub> <sup>*3</sup>	<b>1.1</b> <sub>(0.3)</sub> <sup>*4</sup>	15/15
SNES	3.9(1)	0.90 <sub>(0.2)</sub>	1.1 <sub>(0.2)</sub>	2.8 <sub>(2)</sub>	15 <sub>(20)</sub>	296 <sub>(312)</sub>	0/15
xNES	3.6(1)	1.5 <sub>(0.5)</sub>	3.1 <sub>(0.6)</sub>	4.0 <sub>(0.3)</sub>	4.6 <sub>(0.3)</sub>	4.8 <sub>(0.3)</sub>	15/15
xNESas	<b>3.1</b> <sub>(0.9)</sub>	1.7 <sub>(0.4)</sub>	2.9 <sub>(1)</sub>	4.0 <sub>(0.3)</sub>	4.4 <sub>(0.4)</sub>	4.6 <sub>(0.3)</sub>	15/15

Table 101: 10-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{110}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f110</b>	11224	3.3e7	7.0e7	$\infty$	$\infty$	$\infty$	0
IPOPsaACM	<b>0.77</b> <sub>(0.5)</sub>	$\infty$	$\infty$	.	.	.	0/15
SNES	1.5 <sub>(2)</sub>	<b>0.01</b> <sub>(0.0)</sub>	<b>0.02</b> <sub>(0.0)</sub>	.	.	.	0/15
xNES	3.3 <sub>(7)</sub>	1.1 <sub>(1)</sub>	$\infty$	.	.	.	0/15
xNESas	4.1 <sub>(4)</sub>	$\infty$	$\infty$	.	.	.	0/15

Table 102: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{111}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f111</b>	82927	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	0
IPOPsaACM	<i><b>0.85</b></i> <sub>(0.5)</sub> *4	.	.	.	.	.	0/15
SNES	$\infty$	.	.	.	.	.	0/15
xNES	$\infty$	.	.	.	.	.	0/15
xNESas	$\infty$	.	.	.	.	.	0/15

Table 103: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{112}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f112</b>	884	11583	16109	18239	19461	20444	15/15
IPOPsaACM	<b>0.43</b> <sub>(0.1)</sub> <sup>*3</sup> <sub>↓3</sub>	<b>0.92</b> <sub>(0.3)</sub>	<b>0.92</b> <sub>(0.2)</sub> <sup>*</sup>	<b>0.99</b> <sub>(0.2)</sub> <sup>*3</sup>	<b>1.00</b> <sub>(0.2)</sub> <sup>*3</sup>	<b>0.99</b> <sub>(0.2)</sub> <sup>*3</sup>	15/15
SNES	1.2(1)	3.6(4)	15(17)	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNES	2.0(0.2)	1.7(2)	6.7(6)	26(21)	54(68)	53(63)	13/15
xNESas	1.5(0.3)	3.0(3)	10(14)	65(67)	87(100)	185(215)	11/15



Table 104: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{113}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f113</b>	4469	27633	1.0e5	1.1e5	1.1e5	1.1e5	15/15
IPOPsaACM	0.71(0.7)	0.67(0.5)	<b>0.28</b> (0.2) $\downarrow_2$	<b>0.29</b> (0.1) $\downarrow_2^*$	<b>0.29</b> (0.1) $\downarrow_2^*$	<b>0.30</b> (0.1) $\downarrow_3^*$	15/15
SNES	0.62(0.5)	2.1(3)	4.4(5)	$\infty$	$\infty$	$\infty$ 1e5	0/15
xNES	<b>0.38</b> (0.5)	1.7(2)	1.8(2)	5.7(6)	5.7(6)	5.7(6)	14/15
xNESas	0.83(0.4)	<b>0.63</b> (1.0)	0.63(0.8)	4.8(7)	4.8(7)	5.2(8)	15/15

Table 105: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{114}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f114</b>	36612	1.3e5	3.3e5	3.9e5	3.9e5	4.1e5	15/15
IPOPsaACM	<b>0.59</b> <sub>(0.4)*</sub>	<b>0.49</b> <sub>(0.3)*3</sub> <sub>↓</sub>	<b>0.35</b> <sub>(0.2)↓2</sub>	<b>0.41</b> <sub>(0.2)↓2</sub>	<b>0.41</b> <sub>(0.2)↓2</sub>	<b>0.41</b> <sub>(0.2)↓2</sub>	15/15
SNES	19(21)	∞	∞	∞	∞	∞ <i>1e5</i>	0/15
xNES	18(23)	262(264)	∞	∞	∞	∞ <i>2e6</i>	0/15
xNESas	14(15)	∞	∞	∞	∞	∞ <i>5e6</i>	0/15

Table 106: 10-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{115}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f115</b>	398	2899	8595	12602	12602	12807	15/15
IPOPsaACM	<b>0.70</b> <sub>(0.3)</sub>	<i>0.70</i> <sub>(0.5)</sub>	<i>0.65</i> <sub>(0.6)</sub>	<i>0.95</i> <sub>(0.4)</sub>	<i>0.95</i> <sub>(0.4)</sub>	<i>0.95</i> <sub>(0.4)</sub>	15/15
SNES	<i>1.4</i> <sub>(1)</sub>	<i>3.0</i> <sub>(3)</sub>	<i>24</i> <sub>(27)</sub>	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNES	<i>0.98</i> <sub>(0.3)</sub>	<i>0.45</i> <sub>(0.1)</sub>	<i>0.63</i> <sub>(0.0)</sub>	<i>1.3</i> <sub>(2)</sub>	<i>1.3</i> <sub>(2)</sub>	<i>1.6</i> <sub>(2)</sub>	15/15
xNESas	<i>0.87</i> <sub>(0.3)</sub>	<b>0.44</b> <sub>(0.1)</sub>	<b>0.60</b> <sub>(1)</sub>	<b>0.62</b> <sub>(0.8)</sub>	<b>0.62</b> <sub>(0.8)</sub>	<b>0.80</b> <sub>(0.8)</sub>	15/15

Table 107: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{116}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f116</b>	71444	1.1e5	1.1e5	1.2e5	1.2e5	1.7e5	15/15
IPOPsaACM	<b>0.53</b> <sub>(0.3)</sub>	<b>0.48</b> <sub>(0.3)</sub>	<b>0.49</b> <sub>(0.3)</sub> <sup>*</sup>	<b>0.50</b> <sub>(0.3)</sub> <sup>*3</sup>	<b>0.50</b> <sub>(0.3)</sub> <sup>*4</sup>	<b>0.39</b> <sub>(0.3)</sub> <sup>*4</sup> <sub>↓</sub>	15/15
SNES	21 <sub>(23)</sub>	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNES	0.87 <sub>(0.9)</sub>	2.0 <sub>(1)</sub>	2.9 <sub>(4)</sub>	6.2 <sub>(8)</sub>	30 <sub>(28)</sub>	111 <sub>(117)</sub>	2/15
xNESas	1.1 <sub>(2)</sub>	1.6 <sub>(2)</sub>	3.0 <sub>(3)</sub>	14 <sub>(16)</sub>	29 <sub>(28)</sub>	55 <sub>(49)</sub>	5/15

Table 108: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{117}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f117</b>	2.3e5	4.0e5	4.9e5	6.5e5	7.2e5	7.9e5	15/15
IPOPsaACM	<b>0.42</b> <sub>(0.2)↓3</sub> <sup>*4</sup>	<b>0.37</b> <sub>(0.2)↓3</sub>	<b>0.33</b> <sub>(0.2)↓3</sub>	<b>0.31</b> <sub>(0.1)↓3</sub>	<b>0.34</b> <sub>(0.1)↓3</sub>	<b>0.40</b> <sub>(0.2)↓3</sub>	15/15
SNES	∞	∞	∞	∞	∞	∞ <i>1e5</i>	0/15
xNES	∞	∞	∞	∞	∞	∞ <i>2e6</i>	0/15
xNESas	∞	∞	∞	∞	∞	∞ <i>5e6</i>	0/15

Table 109: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{118}$ , in *italics* is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f118</b>	1348	3241	4345	6097	7070	8063	15/15
IPOPsaACM	<b>0.44</b> <sub>(0.1)↓4</sub> <sup>*4</sup>	<b>0.37</b> <sub>(0.2)↓3</sub> <sup>*</sup>	<b>0.49</b> <sub>(0.2)↓3</sub>	<b>0.53</b> <sub>(0.2)↓4</sub> <sup>*4</sup>	<b>0.58</b> <sub>(0.2)↓4</sub> <sup>*4</sup>	<b>0.62</b> <sub>(0.1)↓4</sub> <sup>*4</sup>	15/15
SNES	93 <sub>(106)</sub>	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNES	1.2 <sub>(0.1)</sub>	0.70 <sub>(0.1)↓2</sub>	0.76 <sub>(0.0)</sub>	1.1 <sub>(0.1)</sub>	1.4 <sub>(0.1)</sub>	1.7 <sub>(0.1)</sub>	15/15
xNESas	1.1 <sub>(0.2)</sub>	0.62 <sub>(0.1)↓4</sub>	0.66 <sub>(0.1)↓3</sub>	1.0 <sub>(0.2)</sub>	1.3 <sub>(0.2)</sub>	1.6 <sub>(0.2)</sub>	15/15

Table 110: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{119}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f119</b>	128	3122	4969	36536	3.0e5	4.0e5	15/15
IPOPsaACM	<b>1.5</b> (1)	<b>1.3</b> (1)	<b>1.1</b> (0.6)	<b>0.69</b> (0.5) <sup>*3</sup>	<b>0.28</b> (0.0) <sub>↓4</sub> <sup>*4</sup>	<b>0.25</b> (0.0) <sub>↓4</sub> <sup>*4</sup>	15/15
SNES	1.9(1)	1.5(2)	2.3(2)	∞	∞	∞ <i>1e5</i>	0/15
xNES	1.7(1)	2.4(5)	4.3(6)	19(21)	∞	∞ <i>3e6</i>	0/15
xNESas	1.5(1)	2.1(0.6)	7.4(8)	15(14)	33(34)	∞ <i>5e6</i>	0/15

Table 111: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{120}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f120</b>	471	39910	74629	4.4e5	1.3e6	2.5e6	15/15
IPOPsaACM	4.3(5)	<b>0.66</b> (0.8) <sup>*2</sup>	<b>0.90</b> (0.4) <sup>*3</sup>	<b>0.51</b> (0.3) <sub>↓2</sub>	<b>0.50</b> (0.3) <sub>↓2</sub>	<b>0.47</b> (0.2) <sub>↓2</sub>	15/15
SNES	5.3(5)	11(13)	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNES	<b>3.8</b> (4)	53(46)	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e6</i>	0/15
xNESas	31(32)	65(57)	$\infty$	$\infty$	$\infty$	$\infty$ <i>5e6</i>	0/15



Table 112: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{121}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f121</b>	72	317	631	3676	9995	18211	15/15
IPOPsaACM	1.1(0.8)	0.98(0.4)	1.1(0.4)	<b>0.76</b> (0.2) <sub>↓2</sub> <sup>*4</sup>	<b>0.76</b> (0.1) <sub>↓3</sub> <sup>*3</sup>	<b>0.72</b> (0.1) <sub>↓4</sub> <sup>*2</sup>	15/15
SNES	<b>0.76</b> (0.6)	<b>0.79</b> (0.3)	<b>1.0</b> (0.2)	94(98)	$\infty$	$\infty$ 1e5	0/15
xNES	0.90(0.6)	1.2(0.6)	2.7(0.5)	1.6(0.2)	1.1(0.3)	0.90(0.2)	15/15
xNESas	0.98(0.6)	1.0(0.4)	2.5(0.4)	1.6(0.2)	1.0(0.1)	0.83(0.1) <sub>↓2</sub>	15/15

Table 113: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{122}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f122</b>	55	11563	33165	1.4e5	4.4e5	8.2e5	15/15
IPOPsaACM	8.0(8)	<b>0.74</b> (0.5)	<b>0.72</b> (0.4) <sup>*4</sup>	<b>0.68</b> (0.5) <sup>*4</sup>	<b>0.51</b> (0.4)	<b>0.81</b> (0.6)	15/15
SNES	5.2(9)	2.0(2)	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNES	3.1(3)	8.8(12)	511(540)	$\infty$	$\infty$	$\infty$ <i>2e6</i>	0/15
xNESas	<b>2.7</b> (4)	7.7(9)	1066(1112)	$\infty$	$\infty$	$\infty$ <i>5e6</i>	0/15

Table 114: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{123}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f123</b>	40	94387	3.9e5	1.3e6	3.3e6	1.0e7	7/15
IPOPsaACM	<b>20</b> (30)	<b>0.84</b> (0.6) <sup>*3</sup>	<b>0.64</b> (0.3)	<b>0.64</b> (0.4)	<b>0.79</b> (0.5)	<b>0.79</b> (0.6)	11/15
SNES	39(80)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNES	95(72)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e6</i>	0/15
xNESas	20(27)	786(927)	$\infty$	$\infty$	$\infty$	$\infty$ <i>5e6</i>	0/15

Table 115: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{124}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f124</b>	37	614	10452	52887	1.4e5	3.3e5	15/15
IPOPsaACM	2.1(1)	<b>1.2</b> (0.7)	1.4(3)	1.2(0.9)	<b>1.2</b> (1)	<b>3.3</b> (7)	15/15
SNES	1.5(2)	1.2(1)	0.96(0.8)	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNES	<b>1.2</b> (1)	1.4(0.4)	<b>0.42</b> (0.1)	1.7(2)	$\infty$	$\infty$ <i>2e6</i>	0/15
xNESas	1.5(1)	1.4(0.5)	0.42(0.0)	<b>1.2</b> (1)	39(42)	$\infty$ <i>5e6</i>	0/15

Table 116: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{125}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f125</b>	1	1	1	3.0e6	6.4e6	6.4e6	13/15
IPOPsaACM	<b>1</b> (0)	118(110)	<b>2.3e5</b> (2e5)	<b>0.75</b> (0.6)	<b>0.45</b> (0.4)	<b>1.0</b> (0.9)	11/15
SNES	1.1(0.5)	124(83)	1.5e6(2e6)	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNES	1.2(0.5)	<b>73</b> (92)	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e6</i>	0/15
xNESas	1.1(0)	91(70)	$\infty$	$\infty$	$\infty$	$\infty$ <i>5e6</i>	0/15

Table 117: 10-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{126}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f126</b>	1	1	1	$\infty$	$\infty$	$\infty$	0
IPOPsaACM	<b>1</b> (0)	1077(1074)	<b>3.6e6</b> (2e6)	.	.	.	0/15
SNES	1.2(0.5)	1083(1304)	$\infty$	.	.	.	0/15
xNES	1.2(0.5)	<b>432</b> (376)	$\infty$	.	.	.	0/15
xNESas	1.3(0.5)	2529(444)	$\infty$	.	.	.	0/15

Table 118: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{127}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f127</b>	1	1	1	1.3e6	2.1e6	2.1e6	15/15
IPOPsaACM	<b>1</b> (0)	76(36)	<b>4.1e4</b> (3e4) <sup>*3</sup>	<b>0.67</b> (0.6)	<b>0.59</b> (0.5)	<b>0.91</b> (1)	15/15
SNES	<b>1</b> (0)	56(49)	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNES	<b>1</b> (0)	<b>38</b> (31)	5.9e6(6e6)	$\infty$	$\infty$	$\infty$ <i>2e6</i>	0/15
xNESas	1.3(0.5)	51(38)	1.9e6(3e6)	$\infty$	$\infty$	$\infty$ <i>5e6</i>	0/15

Table 119: 10-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{128}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f128</b>	9151	1.4e5	1.4e5	2.9e5	3.8e5	5.3e5	9/15
IPOPsaACM	1.2(2)	16(36)	23(36)	15(19)	19(26)	14(19)	10/15
SNES	<b>0.53</b> (0.8)	<b>0.20</b> (0.4)	<b>0.21</b> (0.4)	<b>0.10</b> (0.2)	<b>0.10</b> (0.1) <sub>↓2</sub>	<b>0.09</b> (0.1)	12/15
xNES	2.7(5)	1.7(2)	1.7(2)	0.81(1.0)	0.84(0.8)	0.65(0.6)	14/15
xNESas	1.1(2)	0.98(0.7)	2.1(3)	1.4(3)	1.3(2)	0.94(2)	15/15



Table 120: 10-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{129}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f129</b>	53967	1.4e6	1.4e6	1.4e6	1.4e6	1.5e6	14/15
IPOPsaACM	<b>0.68</b> (0.8)	<b>4.4</b> (7)	<b>4.3</b> (7)	<b>4.3</b> (7)	<b>4.3</b> (7)	<b>4.3</b> (7)	10/15
SNES	1.9(2)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e5</i>	0/15
xNES	5.7(5)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e6</i>	0/15
xNESas	6.0(5)	54(57)	$\infty$	$\infty$	$\infty$	$\infty$ <i>5e6</i>	0/15

Table 121: 10-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{130}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f130</b>	481	5878	37470	70910	72192	73340	10/15
IPOPsaACM	5.3(8)	240(551)	67(134)	35(71)	35(69)	34(68)	13/15
SNES	<b>2.0</b> (3)	<b>3.0</b> (4)	<b>0.68</b> (1)	<b>0.43</b> (0.7)	<b>1.1</b> (1)	4.2(5)	3/15
xNES	11(0.4)	36(39)	7.8(9)	4.1(5)	4.1(5)	4.1(5)	15/15
xNESas	10(21)	34(37)	6.7(7)	3.6(3)	3.5(3)	<b>3.5</b> (3)	15/15

Table 122: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{101}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f101</b>	59	425	571	700	739	783	15/15
IPOPsaACM	4.7(1)	<b>0.86</b> <sub>(0.2)</sub> <sup>*4</sup>	<b>0.73</b> <sub>(0.1)</sub> <sup>*4</sup> <sub>↓2</sub>	<b>0.78</b> <sub>(0.1)</sub> <sup>*4</sup> <sub>↓3</sub>	<b>0.88</b> <sub>(0.1)</sub> <sup>*4</sup> <sub>↓</sub>	<b>0.99</b> <sub>(0.1)</sub> <sup>*4</sup>	15/15
SNES	<b>4.1</b> <sub>(0.7)</sub>	1.5(0.2)	1.9(0.1)	2.8(0.2)	3.9(0.1)	4.7(0.2)	15/15
xNES	5.5(2)	7.1(0.9)	10(0.7)	17(0.6)	24(0.4)	30(0.6)	15/15
xNESas	4.8(2)	5.1(0.8)	5.7(2)	6.7(2)	7.7(3)	8.4(2)	30/30

Table 123: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{102}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f102</b>	231	399	579	921	1157	1407	15/15
IPOPsaACM	1.2(0.2)	<b>0.93</b> <sub>(0.2)</sub> * <sup>3</sup>	<b>0.75</b> <sub>(0.1)</sub> * <sup>4</sup> <sub>↓3</sub>	<b>0.61</b> <sub>(0.1)</sub> * <sup>4</sup> <sub>↓4</sub>	<b>0.60</b> <sub>(0.0)</sub> * <sup>4</sup> <sub>↓4</sub>	<b>0.60</b> <sub>(0.0)</sub> * <sup>4</sup> <sub>↓4</sub>	15/15
SNES	<b>1.1</b> (0.2)	1.6(0.3)	1.9(0.1)	2.1(0.1)	2.5(0.1)	2.7(0.1)	15/15
xNES	1.5(0.7)	7.7(0.9)	10(0.5)	13(0.3)	15(0.2)	17(0.4)	15/15
xNESas	1.5(0.5)	5.8(2)	6.2(2)	5.6(2)	5.4(2)	5.4(2)	30/30

Table 124: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{103}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f103</b>	65	417	629	1313	1893	2464	14/15
IPOPsaACM	3.9(0.8)	<b>0.83</b> (0.2) <sub>↓2</sub> <sup>*4</sup>	<b>0.66</b> (0.1) <sup>*4</sup>	<b>0.52</b> (0.1) <sub>↓4</sub> <sup>*4</sup>	<b>0.55</b> (0.1) <sub>↓4</sub> <sup>*4</sup>	<b>0.58</b> (0.1) <sub>↓3</sub> <sup>*4</sup>	15/15
SNES	<b>3.8</b> (0.9)	1.5(0.2)	1.7(0.1)	1.6(0.1)	1.7(0.1)	3.4(2)	15/15
xNES	6.2(2)	7.4(0.8)	10(0.4)	9.4(0.3)	10(0.4)	11(0.3)	15/15
xNESas	5.0(2)	5.0(1)	4.9(2)	4.1(2)	5.5(2)	6.8(2)	30/30

Table 125: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{104}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f104</b>	23690	85656	1.7e5	1.8e5	1.9e5	2.0e5	15/15
IPOPsaACM	<b>3.5</b> (2)	<b>1.1</b> <sub>(0.6)</sub> <sup>*4</sup>	<b>0.55</b> <sub>(0.3)</sub> <sup>*4</sup>	<b>0.52</b> <sub>(0.3)</sub> <sup>*4</sup>	<b>0.50</b> <sub>(0.3)</sub> <sup>*4</sup>	<b>0.49</b> <sub>(0.3)</sub> <sup>*4</sup>	15/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15
xNES	8.1(10)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>8e6</i>	0/15
xNESas	24(29)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e7</i>	0/30

Table 126: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{105}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f105</b>	1.9e5	6.1e5	6.3e5	6.5e5	6.6e5	6.7e5	15/15
IPOPsaACM	<b>1.0</b> <sub>(0.4)</sub> <sup>*2</sup>	<b>0.36</b> <sub>(0.1)</sub> ↓ <sub>3</sub>	<b>0.35</b> <sub>(0.1)</sub> ↓ <sub>3</sub>	<b>0.34</b> <sub>(0.1)</sub> ↓ <sub>3</sub>	<b>0.34</b> <sub>(0.1)</sub> ↓ <sub>3</sub>	<b>0.33</b> <sub>(0.1)</sub> ↓ <sub>3</sub>	15/15
SNES	∞	∞	∞	∞	∞	∞ <i>2e5</i>	0/15
xNES	17(16)	∞	∞	∞	∞	∞ <i>7e6</i>	0/15
xNESas	24(33)	∞	∞	∞	∞	∞ <i>2e7</i>	0/21

Table 127: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{106}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f106</b>	11480	21668	23746	25470	26492	27360	15/15
IPOPsaACM	<b>0.28</b> <sub>(0.1)</sub> <sup>*4</sup> <sub>↓4</sub>	<b>0.37</b> <sub>(0.3)</sub> <sup>*4</sup> <sub>↓4</sub>	<b>0.39</b> <sub>(0.2)</sub> <sup>*4</sup> <sub>↓4</sub>	<b>0.45</b> <sub>(0.2)</sub> <sup>*4</sup> <sub>↓4</sub>	<b>0.46</b> <sub>(0.2)</sub> <sup>*4</sup> <sub>↓4</sub>	<b>0.47</b> <sub>(0.2)</sub> <sup>*4</sup> <sub>↓4</sub>	15/15
SNES	123 <sub>(138)</sub>	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15
xNES	1.3 <sub>(0.1)</sub>	1.2 <sub>(0.1)</sub>	1.3 <sub>(0.1)</sub>	1.3 <sub>(0.1)</sub>	1.5 <sub>(0.1)</sub>	1.7 <sub>(0.1)</sub>	15/15
xNESas	1.2 <sub>(0.2)</sub>	1.4 <sub>(0.3)</sub>	1.5 <sub>(0.5)</sub>	1.7 <sub>(0.9)</sub>	1.8 <sub>(0.7)</sub>	2.0 <sub>(0.7)</sub>	30/30



Table 128: 20-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{107}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f107</b>	8571	13582	16226	27357	52486	65052	15/15
IPOPsaACM	<b>0.83</b> <sub>(0.5)</sub>	<b>1.3</b> <sub>(0.8)</sub> <sup>*3</sup>	<b>1.4</b> <sub>(0.7)</sub> <sup>*4</sup>	<b>1.3</b> <sub>(0.8)</sub> <sup>*4</sup>	<b>1.0</b> <sub>(0.5)</sub> <sup>*4</sup>	<b>0.94</b> <sub>(0.4)</sub> <sup>*4</sup>	15/15
SNES	2.6 <sub>(3)</sub>	14 <sub>(15)</sub>	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15
xNES	1.7 <sub>(0.4)</sub>	69 <sub>(69)</sub>	879 <sub>(893)</sub>	$\infty$	$\infty$	$\infty$ <i>7e6</i>	0/15
xNESas	1.6 <sub>(0.9)</sub>	44 <sub>(41)</sub>	786 <sub>(1027)</sub>	$\infty$	$\infty$	$\infty$ <i>1e7</i>	0/15

Table 129: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{108}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f108</b>	58063	97228	2.0e5	4.5e5	6.3e5	9.0e5	15/15
IPOPsaACM	<b>0.72</b> <sub>(0.3)</sub> <sup>*4</sup>	<b>1.2</b> <sub>(0.6)</sub> <sup>*4</sup>	<b>1.1</b> <sub>(0.6)</sub>	<b>1.2</b> <sub>(0.7)</sub>	<b>1.6</b> <sub>(0.3)</sub>	<b>1.4</b> <sub>(0.3)</sub>	15/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15
xNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>6e6</i>	0/15
xNESas	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e7</i>	0/15

Table 130: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{109}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f109</b>	333	632	1138	2287	3583	4952	15/15
IPOPsaACM	0.93(0.3)	<b>0.78</b> (0.2) $\downarrow^2$	<b>0.78</b> (0.2) $\downarrow^3$	<b>0.89</b> (0.3) $\downarrow^4$	<b>0.79</b> (0.2) $\downarrow^4$	<b>0.75</b> (0.2) $\downarrow^4$	15/15
SNES	<b>0.77</b> (0.1) $\downarrow^2$	1.1(0.1)	1.3(0.2)	3.8(3)	15(13)	103(111)	3/15
xNES	0.94(0.3)	5.5(0.7)	7.7(0.4)	10(0.5)	10(0.5)	10(0.3)	15/15
xNESas	1.0(0.2)	4.7(0.6)	6.9(0.8)	9.4(0.7)	10(0.5)	13(8)	15/15





Table 133: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{112}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f112</b>	25552	64124	69621	73557	76137	78238	15/15
IPOPsaACM	<b>0.89</b> <sub>(0.3)</sub>	<b>0.79</b> <sub>(0.1)</sub> <sup>*4</sup>	<b>0.84</b> <sub>(0.1)</sub> <sup>*4</sup>	<b>0.88</b> <sub>(0.1)</sub> <sup>*4</sup>	<b>0.88</b> <sub>(0.1)</sub> <sup>*4</sup>	<b>0.88</b> <sub>(0.1)</sub> <sup>*4</sup>	15/15
SNES	113 <sub>(122)</sub>	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15
xNES	0.93 <sub>(0.2)</sub>	52 <sub>(64)</sub>	1454 <sub>(1519)</sub>	$\infty$	$\infty$	$\infty$ <i>7e6</i>	0/15
xNESas	0.99 <sub>(0.2)</sub>	59 <sub>(67)</sub>	952 <sub>(948)</sub>	3878 <sub>(4383)</sub>	3747 <sub>(3875)</sub>	3646 <sub>(3690)</sub>	1/15

Table 134: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{113}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f113</b>	50123	3.6e5	5.6e5	5.9e5	5.9e5	5.9e5	15/15
IPOPsaACM	<b>0.54</b> (0.2)	<b>0.35</b> (0.2) $\downarrow_2^{*4}$	<b>0.31</b> (0.1) $\downarrow_4^{*4}$	<b>0.32</b> (0.1) $\downarrow_4^{*4}$	<b>0.32</b> (0.1) $\downarrow_4^{*4}$	<b>0.32</b> (0.1) $\downarrow_4^{*4}$	15/15
SNES	4.5(5)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15
xNES	5.0(5)	137(150)	$\infty$	$\infty$	$\infty$	$\infty$ <i>7e6</i>	0/15
xNESas	1.4(1)	179(204)	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e7</i>	0/15

Table 135: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{114}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f114</b>	2.1e5	1.1e6	1.4e6	1.6e6	1.6e6	1.6e6	15/15
IPOPsaACM	<b>0.71</b> <sub>(0.3)</sub> <sup>*4</sup>	<b>0.39</b> <sub>(0.3)</sub> ↓ <sub>3</sub>	<b>0.40</b> <sub>(0.2)</sub> ↓ <sub>3</sub>	<b>0.50</b> <sub>(0.3)</sub> ↓ <sub>2</sub>	<b>0.50</b> <sub>(0.3)</sub> ↓ <sub>2</sub>	<b>0.55</b> <sub>(0.3)</sub> ↓	15/15
SNES	∞	∞	∞	∞	∞	∞ <i>2e5</i>	0/15
xNES	∞	∞	∞	∞	∞	∞ <i>6e6</i>	0/15
xNESas	∞	∞	∞	∞	∞	∞ <i>1e7</i>	0/15



Table 136: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{115}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f115</b>	2405	30268	91749	1.3e5	1.3e5	1.3e5	15/15
IPOPsaACM	<b>0.75</b> (2)	0.67(0.3)	0.31(0.2)	4.8(15)	4.8(15)	4.7(14)	15/15
SNES	1.2(1)	29(33)	$\infty$	$\infty$	$\infty$	$\infty$ 2e5	0/15
xNES	1.0(0.2)	0.25(0.0) $\downarrow$ 4	0.14(9e-3) $\downarrow$	0.62(0.8)	0.62(0.8)	0.69(0.8)	15/15
xNESas	1.0(0.1)	<b>0.24</b> (0.0) $\downarrow$ 4	<b>0.14</b> (0.0) $\downarrow$	<b>0.37</b> (0.3)	<b>0.37</b> (0.3)	<b>0.46</b> (0.5)	15/15

Table 137: 20-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{116}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f116</b>	5.0e5	6.9e5	8.9e5	1.0e6	1.1e6	1.1e6	15/15
IPOPsaACM	<b>0.46</b> <sub>(0.1)</sub>	<b>0.35</b> <sub>(0.1)</sub>	<b>0.30</b> <sub>(0.1)</sub>	<b>0.28</b> <sub>(0.1)↓4</sub>	<b>0.29</b> <sub>(0.1)↓4</sub>	<b>0.30</b> <sub>(0.1)↓4</sub>	15/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15
xNES	101 <sub>(116)</sub>	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>7e6</i>	0/15
xNESas	39 <sub>(42)</sub>	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e7</i>	0/15

Table 138: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{117}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f117</b>	1.8e6	2.5e6	2.6e6	2.9e6	3.2e6	3.6e6	15/15
IPOPsaACM	<b>0.29</b> <sub>(0.1)↓3</sub>	<b>0.26</b> <sub>(0.1)↓4</sub>	<b>0.29</b> <sub>(0.1)↓4</sub>	<b>0.35</b> <sub>(0.2)↓4</sub>	<b>0.42</b> <sub>(0.2)↓3</sub>	<b>0.48</b> <sub>(0.4)↓2</sub>	15/15
SNES	∞	∞	∞	∞	∞	∞ <i>2e5</i>	0/15
xNES	∞	∞	∞	∞	∞	∞ <i>5e6</i>	0/15
xNESas	∞	∞	∞	∞	∞	∞ <i>8e6</i>	0/30

Table 139: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{118}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f118</b>	6908	11786	17514	26342	30062	32659	15/15
IPOPsaACM	<b>0.42</b> <sub>(0.2)</sub> <sup>*4</sup> <sub>↓4</sub>	<b>0.49</b> <sub>(0.1)</sub> <sup>*3</sup> <sub>↓4</sub>	<b>0.54</b> <sub>(0.1)</sub> <sup>*3</sup> <sub>↓3</sub>	<b>0.54</b> <sub>(0.2)</sub> <sup>*4</sup> <sub>↓4</sub>	<b>0.56</b> <sub>(0.1)</sub> <sup>*4</sup> <sub>↓4</sub>	<b>0.58</b> <sub>(0.1)</sub> <sup>*4</sup> <sub>↓4</sub>	15/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15
xNES	1.0(0.0)	0.90(0.0)	0.90(0.0)	1.1(0.1)	1.5(0.1)	1.8(0.0)	15/15
xNESas	0.94(0.1)	0.77(0.1)	0.80(0.1)	1.1(0.1)	1.7(0.7)	2.1(0.7)	15/15

Table 140: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{119}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f119</b>	2771	29365	35930	4.1e5	1.4e6	1.9e6	15/15
IPOPsaACM	1.5(2)	<b>0.74</b> (0.3) <sup>*2</sup>	<b>0.88</b> (0.3) <sup>*3</sup>	<b>0.33</b> (0.1) <sub>↓3</sub> <sup>*3</sup>	<b>0.25</b> (0.1) <sub>↓4</sub>	<b>0.37</b> (0.3) <sub>↓3</sub>	15/15
SNES	1.4(2)	22(24)	∞	∞	∞	∞ <i>2e5</i>	0/15
xNES	0.54(0.3) <sub>↓2</sub>	14(13)	2741(3347)	∞	∞	∞ <i>7e6</i>	0/15
xNESas	<b>0.53</b> (0.4) <sub>↓</sub>	10(10)	851(808)	∞	∞	∞ <i>1e7</i>	0/13

Table 141: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{120}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f120</b>	36040	1.8e5	2.8e5	1.6e6	6.7e6	1.4e7	13/15
IPOPsaACM	<b>0.65</b> <sub>(0.5)</sub>	<b>0.80</b> <sub>(0.4)</sub> <sup>*4</sup>	<b>1.2</b> <sub>(0.6)</sub>	<b>0.87</b> <sub>(0.5)</sub>	<b>0.42</b> <sub>(0.1)</sub> ↓ <sub>3</sub>	<b>0.39</b> <sub>(0.2)</sub> ↓ <sub>3</sub>	15/15
SNES	10 <sub>(11)</sub>	∞	∞	∞	∞	∞ <i>2e5</i>	0/15
xNES	14 <sub>(23)</sub>	∞	∞	∞	∞	∞ <i>6e6</i>	0/15
xNESas	6.9 <sub>(7)</sub>	∞	∞	∞	∞	∞ <i>1e7</i>	0/15

Table 142: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{121}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f121</b>	249	769	1426	9304	34434	57404	15/15
IPOPsaACM	1.2(0.4)	<b>0.85</b> (0.2)	<b>0.92</b> (0.3) <sup>*2</sup>	<b>0.69</b> (0.1) <sub>↓3</sub> <sup>*4</sup>	<b>0.58</b> (0.1) <sub>↓4</sub> <sup>*4</sup>	<b>0.71</b> (0.1) <sub>↓3</sub> <sup>*4</sup>	15/15
SNES	0.83(0.2)	0.89(0.2)	1.3(0.2)	$\infty$	$\infty$	$\infty$ 2e5	0/15
xNES	<b>0.74</b> (0.2)	3.4(0.6)	6.7(0.4)	2.9(0.2)	1.3(0.1)	1.1(0.1)	15/15
xNESas	0.81(0.3)	2.8(0.6)	6.3(0.5)	2.9(0.2)	1.7(0.6)	1.7(1)	15/15

Table 143: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{122}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f122</b>	692	52008	1.4e5	7.9e5	2.0e6	5.8e6	15/15
IPOPsaACM	2.5(3)	<b>0.94</b> (0.6) <sup>*3</sup>	<b>0.81</b> (0.3) <sup>*3</sup>	<b>0.53</b> (0.1) <sub>↓</sub>	<b>0.51</b> (0.2) <sub>↓</sub>	<b>0.57</b> (0.3)	15/15
SNES	1.9(2)	∞	∞	∞	∞	∞ <i>2e5</i>	0/15
xNES	0.91(0.8)	∞	∞	∞	∞	∞ <i>6e6</i>	0/15
xNESas	<b>0.81</b> (0.9)	∞	∞	∞	∞	∞ <i>1e7</i>	0/13



Table 144: 20-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{123}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f123</b>	1063	5.3e5	1.5e6	5.3e6	2.7e7	1.6e8	0
IPOPsaACM	<b>7.6</b> (8)	<b>0.77</b> (0.5)	<b>0.81</b> (0.5)	<b>1.1</b> (0.7)	<b>0.63</b> (0.4)	<b>0.92</b> (1)	0/15
SNES	7.7(9)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15
xNES	9.0(9)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>6e6</i>	0/15
xNESas	11(14)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e7</i>	0/15

Table 145: 20-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{124}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f124</b>	192	1959	40840	1.3e5	3.9e5	8.0e5	15/15
IPOPsaACM	0.86(0.4)	3.0(0.8)	2.2(2)	<b>1.4</b> (0.5)	<b>0.76</b> (0.3)	<b>4.0</b> (5)	14/15
SNES	<b>0.58</b> (0.4) $\downarrow$	<b>0.69</b> (0.2) $\downarrow$	0.66(0.5)	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15
xNES	0.63(0.3)	2.7(0.3)	<b>0.58</b> (0.1)	6.4(7)	$\infty$	$\infty$ <i>7e6</i>	0/15
xNESas	0.84(0.3)	2.7(0.5)	0.59(0.1)	4.0(3)	$\infty$	$\infty$ <i>2e7</i>	0/15

Table 146: 20-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{125}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f125</b>	1	1	1	2.5e7	8.0e7	8.1e7	4/15
IPOPsaACM	<b>1</b> (0)	1083(1766)	<b>3.3e6</b> (2e6)	<b>0.61</b> (0.5)	<b>1.1</b> (1)	<b>1.1</b> (1)	3/15
SNES	1.3(0.5)	625(509)	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15
xNES	1.5(1)	<b>451</b> (271)	$\infty$	$\infty$	$\infty$	$\infty$ <i>6e6</i>	0/30
xNESas	1.7(1)	470(238)	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e7</i>	0/15

Table 147: 20-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{126}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f126</b>	1	1	1	$\infty$	$\infty$	$\infty$	0
IPOPsaACM	<i>1(0)</i>	<b>7156</b> (4580)	$\infty$	.	.	.	0/15
SNES	<i>1.3(0.5)</i>	<i>2.3e4(2e4)</i>	$\infty$	.	.	.	0/15
xNES	<i>1.2(0.5)</i>	<i>2.5e4(6e4)</i>	$\infty$	.	.	.	0/30
xNESas	<i>1.4(1)</i>	<i>2.7e4(5e4)</i>	$\infty$	.	.	.	0/15

Table 148: 20-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{127}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f127</b>	1	1	1	4.4e6	7.3e6	7.4e6	15/15
IPOPsaACM	<b>1</b> (0)	238(106)	<b>3.3e5</b> (4e5)	<b>0.75</b> (0.6)	<b>0.93</b> (0.5)	<b>0.97</b> (0.6)	14/15
SNES	1.2(0.5)	167(80)	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15
xNES	1.4(1)	<b>128</b> (63)	$\infty$	$\infty$	$\infty$	$\infty$ <i>6e6</i>	0/30
xNESas	1.5(0.5)	131(87)	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e7</i>	0/15

Table 149: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{128}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f128</b>	1.4e5	1.3e7	1.7e7	1.7e7	1.7e7	1.7e7	9/15
IPOPsaACM	<b>1.3</b> (2)	0.59(0.8)	1.1(1)	1.1(2)	1.1(2)	<b>1.1</b> (1)	8/15
SNES	4.2(5)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ 2e5	0/15
xNES	28(32)	0.97(0.9)	1.2(1)	2.0(2)	3.4(4)	3.4(4)	3/30
xNESas	19(23)	<b>0.40</b> (0.5)	<b>0.78</b> (0.8)	<b>1.0</b> (1)	<b>1.0</b> (1)	1.3(1)	6/15

Table 150: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{129}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f129</b>	7.8e6	4.1e7	4.2e7	4.2e7	4.2e7	4.2e7	5/15
IPOPsaACM	<b>0.41</b> (0.9)	<b>0.28</b> (0.5)	<b>0.36</b> (0.5)	<b>0.36</b> (0.5)	<b>0.36</b> (0.5)	<b>0.36</b> (0.5)	9/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e5</i>	0/15
xNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>6e6</i>	0/30
xNESas	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e7</i>	0/15

Table 151: 20-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{130}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f130</b>	4904	93149	2.5e5	2.5e5	2.6e5	2.6e5	7/15
IPOPsaACM	<b>0.55</b> (1)	27(34)	30(42)	30(43)	30(41)	30(39)	12/15
SNES	0.76(1)	<b>0.19</b> (0.3)	<b>0.09</b> (0.1)	<b>0.11</b> (0.1)	<b>0.36</b> (0.3)	<b>2.1</b> (2)	2/15
xNES	14(20)	10(9)	4.9(5)	4.9(5)	4.9(5)	4.9(5)	29/30
xNESas	15(23)	5.3(4)	5.4(9)	5.4(9)	5.4(9)	5.4(9)	15/15



Table 152: 40-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{101}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f101</b>	584	905	1255	1913	2556	3237	15/15
SNES	<b>1.2</b> <sub>(0.2)</sub> * <sup>5</sup>	<b>1.9</b> <sub>(0.1)</sub> * <sup>5</sup>	<b>2.1</b> <sub>(0.1)</sub> * <sup>5</sup>	<b>2.4</b> <sub>(0.1)</sub> * <sup>5</sup>	<b>2.5</b> <sub>(0.1)</sub> * <sup>5</sup>	<b>2.6</b> <sub>(0.0)</sub> * <sup>5</sup>	15/15
xNESas	9.3(1)	16(3)	16(6)	14(9)	12(8)	10(6)	30/30

Table 153: 40-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{102}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f102</b>	821	1286	1742	2629	3557	4504	15/15
SNES	<b>0.94</b> <sup>(0.2)</sup> *4	<b>1.3</b> <sup>(0.1)</sup> *4	<b>1.5</b> <sup>(0.1)</sup> *4	<b>1.8</b> <sup>(0.0)</sup> *4	<b>1.8</b> <sup>(0.0)</sup> *4	<b>1.9</b> <sup>(0.0)</sup> *4	15/15
xNES	6.8(1)	14(0.6)	18(0.6)	22(0.2)	23(0.3)	24(0.2)	15/15
xNESas	6.9(1)	12(2)	12(4)	11(6)	10(7)	9.3(8)	30/30

Table 154: 40-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{103}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f103</b>	529	1223	1693	2720	3818	4963	15/15
SNES	<i><b>1.4</b>(0.1)<sup>*4</sup></i>	<i><b>1.4</b>(0.1)<sup>*4</sup></i>	<i><b>1.6</b>(0.1)<sup>*4</sup></i>	<i><b>1.8</b>(0.1)<sup>*4</sup></i>	<i><b>2.0</b>(0.0)<sup>*4</sup></i>	<i><b>4.3</b>(2)<sup>*4</sup></i>	15/15
xNES	11(1)	15(0.7)	18(0.4)	22(0.3)	24(0.4)	25(0.3)	15/15
xNESas	10(2)	12(3)	12(5)	13(8)	19(13)	24(13)	30/30

Table 155: 40-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{104}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f104</b>	3.1e6	3.6e6	3.7e6	3.7e6	3.7e6	3.8e6	15/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15
xNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e7</i>	0/1
xNESas	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>3e7</i>	0/30

Table 156: 40-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{105}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f105</b>	5.6e6	5.9e6	6.0e6	6.1e6	6.2e6	6.3e6	15/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15
xNESas	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e7</i>	0/19

Table 157: 40-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{106}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	##succ
<b>f106</b>	69253	90821	95524	99526	1.0e5	1.0e5	15/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	0/15
xNESas	<b>1.4</b> <sub>(0.1)</sub> <sup>*4</sup>	<b>1.6</b> <sub>(0.1)</sub> <sup>*4</sup>	<b>1.6</b> <sub>(0.1)</sub> <sup>*4</sup>	<b>1.7</b> <sub>(0.1)</sub> <sup>*4</sup>	<b>2.0</b> <sub>(0.8)</sub> <sup>*4</sup>	<b>3.0</b> <sub>(1)</sub> <sup>*4</sup>	15/15

Table 158: 40-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{107}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f107</b>	38382	57745	74911	97700	1.2e5	1.4e5	15/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15
xNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>9e6</i>	0/2
xNESas	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e7</i>	0/27

Table 159: 40-D, running time excess  $ERT/ERT_{\text{best } 2009}$  on  $f_{108}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f108</b>	2.1e5	5.6e5	9.4e5	1.8e6	2.8e6	4.3e6	15/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15
xNESas	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e7</i>	0/15



Table 160: 40-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{109}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f109</b>	841	1456	2504	4958	7525	10054	15/15
SNES	<b>0.92</b> <sub>(0.1)</sub> <sup>*4</sup>	<b>1.4</b> <sub>(0.1)</sub> <sup>*4</sup>	<b>1.6</b> <sub>(0.1)</sub> <sup>*4</sup>	<b>3.4</b> <sub>(2)</sub> <sup>*4</sup>	<b>18</b> <sub>(24)</sub>	129 <sub>(139)</sub>	1/15
xNESas	6.6 <sub>(1)</sub>	15 <sub>(2)</sub>	19 <sub>(1)</sub>	23 <sub>(0.7)</sub>	30 <sub>(11)</sub>	<b>32</b> <sub>(10)</sub>	15/15



Table 162: 40-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{111}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f111</b>	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	0
SNES	.	.	.	.	.	.	0/15
xNESas	.	.	.	.	.	.	0/3

Table 163: 40-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{112}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f112</b>	1.8e5	2.5e5	2.7e5	2.8e5	2.8e5	2.9e5	14/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15

Table 164: 40-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{113}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f113</b>	4.4e5	2.5e6	2.7e6	3.0e6	3.0e6	3.0e6	15/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15
xNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e7</i>	0/1
xNESas	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>3e7</i>	0/15

Table 165: 40-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{114}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f114</b>	1.7e6	6.5e6	1.0e7	1.2e7	1.2e7	1.2e7	15/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15
xNESas	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e7</i>	0/15

Table 166: 40-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{115}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f115</b>	20541	1.9e5	3.7e5	4.2e5	4.2e5	4.2e5	15/15
SNES	0.93(1)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	0/15
xNESas	<b>0.92</b> (0.1)	<b>0.21</b> (9e-3) <sup>*4</sup>	<b>0.24</b> (0.0) <sup>*4</sup>	<b>0.96</b> (0.7) <sup>*4</sup>	<b>0.96</b> (0.7) <sup>*4</sup>	<b>0.96</b> (0.7)	15/15

Table 167: 40-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{116}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f116</b>	4.2e6	4.3e6	4.5e6	4.8e6	5.1e6	5.4e6	15/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15
xNESas	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>3e7</i>	0/15



Table 168: 40-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{117}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f117</b>	8.4e6	1.2e7	1.4e7	1.7e7	1.9e7	2.1e7	15/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15
xNESas	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e7</i>	0/7

Table 169: 40-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{118}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f118</b>	39183	47888	81836	1.1e5	1.2e5	1.3e5	15/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15

Table 170: 40-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{119}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f119</b>	42381	1.2e5	1.6e5	2.1e6	1.0e7	1.3e7	15/15
SNES	31(34)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15
xNES	7.4(1e-3)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>1e7</i>	0/2
xNESas	<b>3.6</b> (3)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>3e7</i>	0/15

Table 171: 40-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{120}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f120</b>	1.6e5	7.1e5	1.7e6	1.1e7	4.3e7	2.4e8	3/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15
xNESas	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e7</i>	0/15

Table 172: 40-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{121}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f121</b>	728	1739	3362	27554	97381	2.0e5	14/15
SNES	<b>0.77</b> <sub>(0.2)</sub>	<b>1.1</b> <sub>(0.1)</sub> <sup>*4</sup>	<b>1.8</b> <sub>(0.9)</sub> <sup>*4</sup>	$\infty$	$\infty$	$\infty$ 4e5	0/15
xNESas	1.0 <sub>(0.3)</sub>	11 <sub>(0.7)</sub>	16 <sub>(0.6)</sub>	<b>5.6</b> <sub>(2)</sub> <sup>*4</sup>	<b>2.9</b> <sub>(1)</sub> <sup>*4</sup>	<b>1.8</b> <sub>(0.5)</sub> <sup>*4</sup>	15/15

Table 173: 40-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{122}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f122</b>	4936	2.7e5	6.4e5	2.8e6	1.2e7	3.3e7	11/15
SNES	2.1(3)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15
xNESas	<b>1.2</b> (0.8)	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e7</i>	0/15

Table 174: 40-D, running time excess  $ERT/ERT_{\text{best } 2009}$  on  $f_{123}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f123</b>	13229	2.4e6	9.4e6	2.4e7	2.3e8	7.3e8	0
SNES	<i>77(83)</i>	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15
xNESas	<b>25(28)</b>	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e7</i>	0/4

Table 175: 40-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{124}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f124</b>	570	30165	2.1e5	3.7e5	1.1e6	2.2e6	15/15
SNES	<b>0.64</b> <sub>(0.1)</sub> <sub>↓2</sub>	<b>0.15</b> <sub>(0.0)</sub>	<b>0.69</b> <sub>(0.5)</sub>	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15



Table 176: 40-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{125}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f125</b>	1	4611	1.1e8	5.4e8	$\infty$	$\infty$	0
SNES	2.3(2)	44(49)	$\infty$	$\infty$	.	.	0/15
xNES	<b>1.4</b> (0.5)	3.2(5)	$\infty$	$\infty$	.	.	0/15
xNESas	1.7(2)	<b>2.3</b> (2)	$\infty$	$\infty$	.	.	0/15

Table 177: 40-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{126}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f126</b>	1	8740	$\infty$	$\infty$	$\infty$	$\infty$	0
SNES	<b>1.4</b> (0.5)	$\infty$	.	.	.	.	0/15
xNES	2.1(2)	<b>1088</b> (835)	.	.	.	.	0/12
xNESas	1.8(2)	1183(1011)	.	.	.	.	0/15

Table 178: 40-D, running time excess  $ERT/ERT_{\text{best 2009}}$  on  $f_{127}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f127</b>	1	702	1.8e6	1.5e7	2.6e7	2.7e7	15/15
SNES	<b>1.5</b> (1)	<b>0.58</b> (0.3) $\downarrow$ 2	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15
xNESas	1.7(0.5)	0.68(0.3)	$\infty$	$\infty$	$\infty$	$\infty$ <i>2e7</i>	0/10

Table 179: 40-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{128}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f128</b>	4.1e6	3.8e7	1.1e8	1.1e8	1.1e8	1.1e8	4/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15

Table 180: 40-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{129}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b>f129</b>	3.5e7	3.8e7	1.0e8	1.0e8	1.0e8	1.0e8	2/15
SNES	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$	$\infty$ <i>4e5</i>	0/15

Table 181: 40-D, running time excess  $\text{ERT}/\text{ERT}_{\text{best 2009}}$  on  $f_{130}$ , in italics is given the median final function value and the median number of function evaluations to reach this value divided by dimension

$\Delta f_{\text{opt}}$	1e1	1e0	1e-1	1e-3	1e-5	1e-7	#succ
<b><i>f130</i></b>	12699	2.8e5	1.7e6	1.7e6	1.7e6	1.7e6	3/15
SNES	<b>0.64</b> <sub>(1)</sub>	<b>0.27</b> <sub>(0.3)</sub>	<b>0.07</b> <sub>(0.1)↓2</sub>	<b>0.07</b> <sub>(0.1)↓2</sub>	<b>0.13</b> <sub>(0.1)↓</sub>	<b>0.23</b> <sub>(0.3)</sub>	4/15

## References

- [1] Anne Auger, Steffen Finck, Nikolaus Hansen, and Raymond Ros. BBOB 2009: Comparison tables of all algorithms on all noisy functions. Technical Report RT-0384, INRIA, 04 2010.
- [2] S. Finck, N. Hansen, R. Ros, and A. Auger. Real-parameter black-box optimization benchmarking 2010: Presentation of the noisy functions. Technical Report 2009/21, Research Center PPE, 2010.
- [3] N. Hansen, A. Auger, S. Finck, and R. Ros. Real-parameter black-box optimization benchmarking 2012: Experimental setup. Technical report, INRIA, 2012.
- [4] N. Hansen, S. Finck, R. Ros, and A. Auger. Real-parameter black-box optimization benchmarking 2009: Noisy functions definitions. Technical Report RR-6869, INRIA, 2009. Updated February 2010.
- [5] Terence Soule, editor. *Benchmarking Exponential Natural Evolution Strategies on the Noiseless and Noisy Black-Box Optimization Testbeds*. ACM, 2012.
- [6] Terence Soule, editor. *Benchmarking Natural Evolution Strategies with Adaptation Sampling on the Noiseless and Noisy Black-Box Optimization Testbeds*. ACM, 2012.
- [7] Terence Soule, editor. *Benchmarking Separable Natural Evolution Strategies on the Noiseless and Noisy Black-box Optimization Testbeds*. ACM, 2012.
- [8] Terence Soule, editor. *Black-box Optimization Benchmarking of IPOP-saACM-ES on the BBOB-2012 Noisy Testbed*. ACM, 2012.
- [9] Terence Soule, editor. *Comparing Natural Evolution Strategies to BIPOP-CMA-ES on Noiseless and Noisy Black-Box Optimization Testbeds*. ACM, 2012.